

The SALTMED model as an integrated management tool for water, crops, soil, salinity and N-fertilizers

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The webinar organizers



**GLOBAL SOIL
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**Food and Agriculture
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United Nations**

1. SALTMED Processes and Equations



Field scale SALTMED Model: Integrated water, crops, N-Fertilizers and field Management

SALTMED
SAFIR,
SWUP-MED,
Water4Crops,-
4 EU Funded Projects

Ragab. 2020.
[https://onlinelibrary.wiley.com/doi/toc/10.1002/\(ISSN\)1531-0361.saltmed-publications](https://onlinelibrary.wiley.com/doi/toc/10.1002/(ISSN)1531-0361.saltmed-publications)

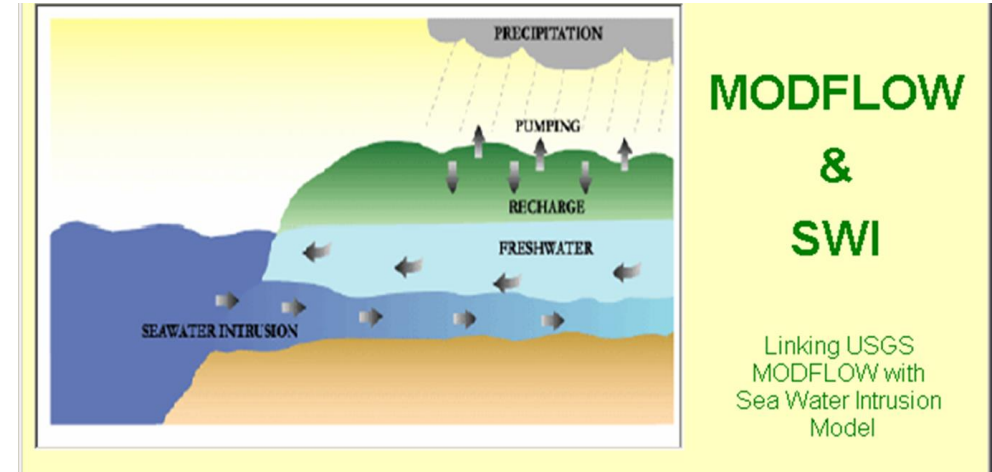
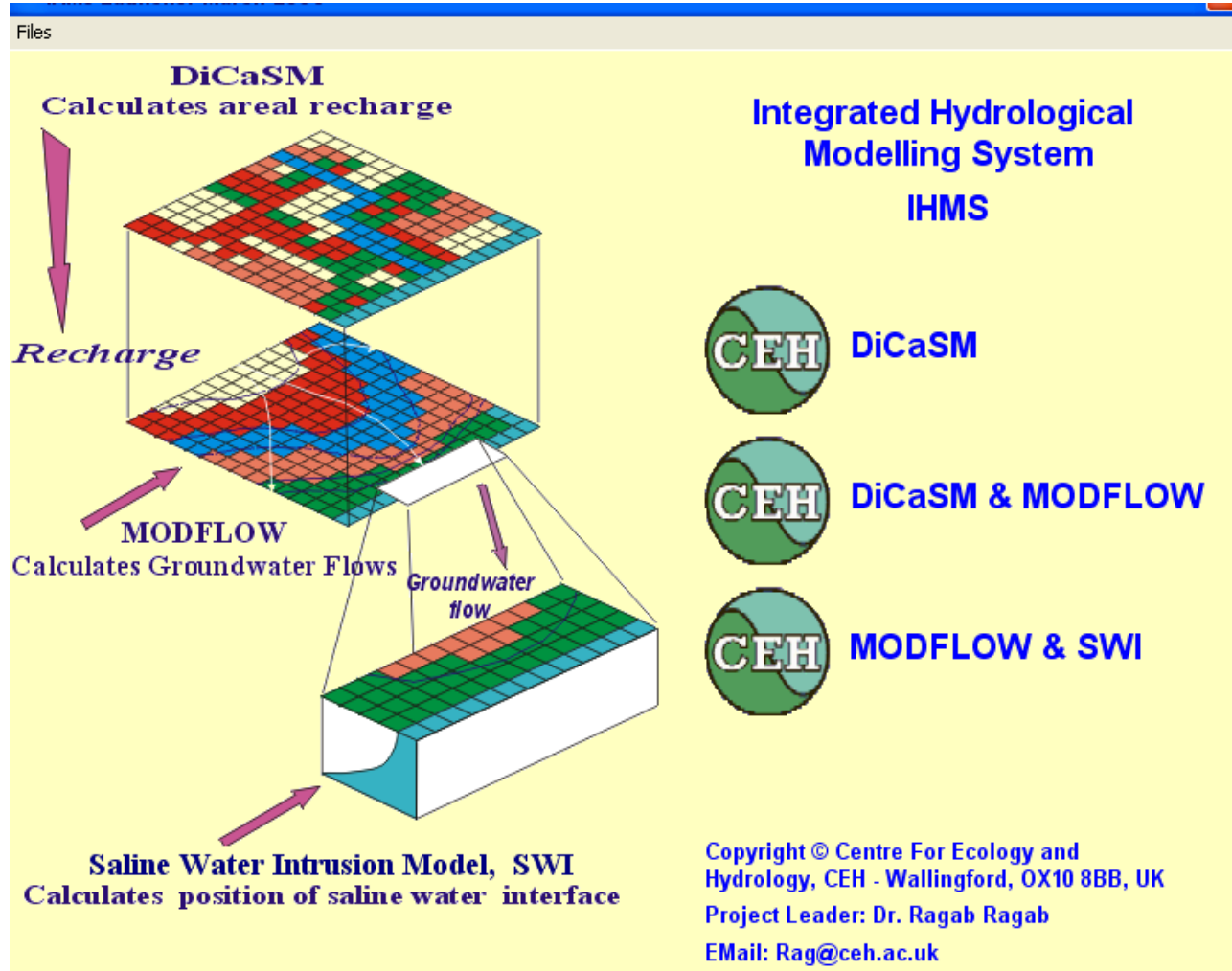


Free download
at: http://icid-ciid.org/inner_page/41

The Catchment Scale model: The Integrated Hydrological Modelling System,

IHMS: downloadable at: https://drive.google.com/open?id=1OuEIYkE9sr_XU25eJbuCOclR0Gi9ma-N

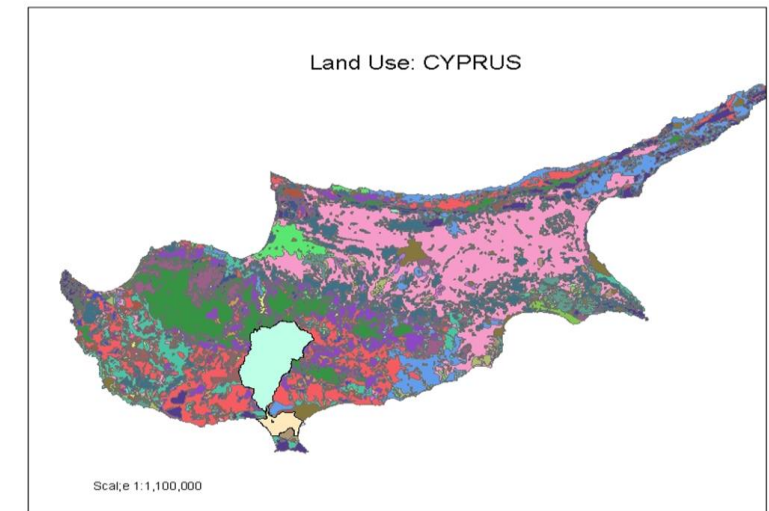
Also, from ICID web site: https://icid-ciid.org/inner_page/41



Legend

class

- DAMS & LAVER
- BUILD UP AREAS
- CITRUS
- CITRUS-DECIDUOUS
- CITRUS-NO ETABLES
- DECIDUOUS
- DECIDUOUS-VINE ETABLES
- VEGETABLES
- VEGETABLES-PO TATOES
- VEGETABLES-BANANAS
- CEREALS-TO BACCO
- CEREALS-GREEN FODDER
- VINE YARDS
- VINE YARDS-ALMOND TREES
- CEREALS
- CEREALS-ALMOND TREES
- CEREALS-CAROB TREES
- OLIVE TREES
- OLIVE & CAROB TREES
- DEGRADED LAND
- HIGH FOREST
- HIGH FOREST-OTHER
- MAQUIS
- MAQUIS-OTHER
- GARDENS
- GARDEN-OTHER
- HIGH FOREST (STATE)
- MAQUIS (STATE)
- GARDEN (STATE)
- CULTIVATED (STATE)
- RESTORATIONS (STATE)
- catchment
- Akrotiri_Aquifer_Boundary



SALTMED Model Development Publications

1. **Ragab R.** 2002. A Holistic Generic Integrated Approach for Irrigation, Crop and Field Management: The SALTMED Model. J. of Environmental Modelling & Software. 17(4): 345-361.
2. **Ragab R.** 2015. Integrated Management Tool for Water, Crop, Soil and N- Fertilizers: The SALTMED Model. J. Irrigation and Drainage. 64(1): 1–12.
3. **Ragab Ragab.** 2023. Use of Models as Management Tools, SALTMED Model as a Tool for Water, Crop, Field, and N-Fertilizers Management. Part VI in Redouane Choukr-Allah and Ragab Ragab (Eds) Biosaline Agriculture as a Climate Change Adaptation for Food Security. Springer. ISBN 978-3-031-24278-6 ISBN 978-3-031-24279-3 (eBook), <https://doi.org/10.1007/978-3-031-24279-3> (pp325- 376)
4. **Ragab R.** (Editor), 2005. Advances in integrated management of fresh and saline water for sustainable crop production: Modelling and practical solutions. International Journal of Agricultural Water Management (Special Issue).78 (1-2): 1-164. Elsevier, Amsterdam. The Netherlands
5. **Ragab, Ragab,** (Editor). 2010 SAFIR-Safe and high quality food production using low quality waters and improved irrigation systems management. Amsterdam, The Netherlands, Elsevier, 106pp. (Agricultural Water Management, 98 (3).
6. **Ragab. R.** 2020. A special issue combines 17 research papers on SALTMED model. “SALTMED Publications in Irrigation and Drainage. Virtual Issues First published: 20 May 2020 Last updated: 20 May 2020. Wiley on line Library”.
[https://onlinelibrary.wiley.com/doi/toc/10.1002/\(ISSN\)1531-0361.saltmed-publications](https://onlinelibrary.wiley.com/doi/toc/10.1002/(ISSN)1531-0361.saltmed-publications)

SALTMED MODEL

Freely downloaded at:

The ICID web site :

https://www.icid.org/wg_crop.html



(EU funded) & the basis of the SALTMED model can be found at:

Special Issu : J. Agric. Water Management,volume 78 (1-2), September, 2005, (Guest Editor, Ragab Ragab)

The Results of SAFIR project (EU funded) can be found at:

Special Issu : J. Agric. Water Management,volume 98 (3), December, 2010, (Guest Editor, Ragab Ragab)

The results of SWUP-MED project (EU funded) can be found at:

Journal of Irrigation and Drainage, 2015.Volume 64 (1) and the following issues.

“SALTMED Publications in Irrigation and Drainage. Virtual Issues First published: 20 May 2020 Last updated: 20 May 2020. Wiley on line Library”.

[https://onlinelibrary.wiley.com/doi/toc/10.1002/\(ISSN\)1531-0361.saltmed-publications](https://onlinelibrary.wiley.com/doi/toc/10.1002/(ISSN)1531-0361.saltmed-publications)

SALTMED Online Course (freely available)

The latest version is the **2019** version and compatible for windows 7 and above, available at.

https://drive.google.com/file/d/1GHoL0daZYPRb4zn2H4M_oPl_3vlOUKpg/view

and from ICID web site at : https://icid-ciid.org/inner_page/41

The file size is 398MB

Online Course freely available at YouTube: Produced by Engineering & Consulting S.T.E.P GmbH, Aachen, Germany: <https://stepconsulting.de/en/>

follow the different parts of the model installation, description and application as well as the trouble shooting :

How to install the model, go to:

<https://www.youtube.com/watch?v=Rt-V87jlg3w>

The whole course is available at:

<https://www.youtube.com/watch?v=JRMeUFzuBYU>

Trouble shooting: Problems and solutions& FAQ:

https://www.youtube.com/watch?v=8NnpIlMtSuE&list=PLZYmrBXSZmBk4w_eIIDbYegjaluPaisp-

Rational

SALTMED model was originally developed for SALTMED EU funded project to study the impact of using saline water on field crops of the Mediterranean region and assess the short and long-term impact of using saline water on the environment.

SALTMED model Development & Applications

- **The model has been developed and applied within four EU funded projects: SALTMED, SAFIR , SWUP-MED and Water4Crops.**
- **The model has successfully been tested against field experiments conducted in Egypt, Syria, Turkey, Morocco, Spain, Portugal, Greece, Denmark, UK, Syria, France, Serbia, Greece, Portugal, China, Kazakhstan, Nigeria, Iran, Brazil, USA France, Saudi Arabia, Bahrain, and Italy.**
- **The model has also been used to predict the impact of seawater rise and inundation on soil and vegetation of 7 lowland coastal sites in the UK using the climate change prediction up to 2099 (DEFRA funded).**
- **The model is suitable for academic researchers, for professionals and for practitioners.**

Benefit of using SALTMED model

1. Helps to predict the impact of climate change (rainfall, temperature, CO₂, seawater intrusion, seawater inundation /tsunami) on soil, vegetation and food security.
2. Improves water use efficiency: reduce water use in agriculture and increase productivity to meet population needs, more crop per drop.
3. Helps to select the best strategies to irrigate using less water and save more. Example: irrigating half of the root zone in alternating system (Partial Root Drying Method, PRD). This method saves up to 40% of water.
4. Guide users to select the most suitable crop, irrigation system and irrigation strategies when using poor quality water (saline water, brackish groundwater, agriculture drainage water and treated wastewater).
5. Predict the impact of using poor quality water on the environment and guide the user to the best strategies to minimize the negative impact, less water pollution and improve biodiversity.



SALTMED Model Main Components

1. Evapotranspiration using different methods
2. Plant water uptake accounting for salinity and water stress
3. Water and solute transport under different irrigation systems
4. Soil Nitrogen cycle including Soil Temperature dynamics
5. Leaching of salinity and nitrogen fertilizers
6. Drainage flow and Groundwater level dynamics
7. Crop yield – Biomass, water use efficiency and productivity
8. Crop rotations of different crops
9. Simultaneous runs of up to 20 multiple fields or treatments
10. The model has Crop and soil databases & example files
11. The model can run with “what if” climate change scenarios
12. The model calculates the crop growth based on Degree Days and calendar dates
13. Water balance, salt balance and nitrogen balance



SALTMED Simultaneous runs of 20 multiple fields or treatments

SALTMED 2015 - C:\Saltmed_data\Example Files\Demo 9 fields all FAO56mod2.smc

File

Global Model Parameters | **Field Parameters**

Global Parameters | Locations | Outputs | **Fields** | Soils | Crops

Include the following fields in the model run and SMC file ☒ Only load fields that are included in the model run

Include in Run	Field Name	Include in Run	Field Name
<input checked="" type="checkbox"/> 01	basin	<input type="checkbox"/> 11	
<input checked="" type="checkbox"/> 02	line	<input type="checkbox"/> 12	
<input checked="" type="checkbox"/> 03	rainfed	<input type="checkbox"/> 13	
<input checked="" type="checkbox"/> 04	sprinkler	<input type="checkbox"/> 14	
<input checked="" type="checkbox"/> 05	PRDsubvarfreq	<input type="checkbox"/> 15	
<input checked="" type="checkbox"/> 06	linesub	<input type="checkbox"/> 16	
<input checked="" type="checkbox"/> 07	PRDfixedfreq	<input type="checkbox"/> 17	
<input checked="" type="checkbox"/> 08	basin Drainage	<input type="checkbox"/> 18	
<input checked="" type="checkbox"/> 09	pointsource	<input type="checkbox"/> 19	
<input type="checkbox"/> 10		<input type="checkbox"/> 20	

3.03.21 Progress ...

32 bit mode

Run Model Stop Model

SALTMED Processes and Equations



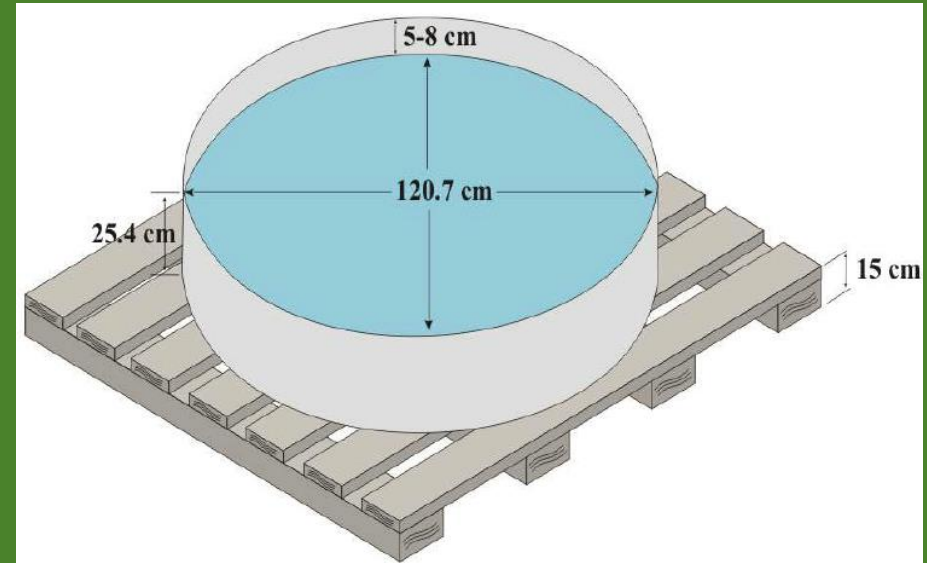
UK Centre for
Ecology & Hydrology

Evapotranspiration calculation options

1. Reference Evapotranspiration ETo is calculated from Class A pan measurements.
2. ETo Calculated from FAO (1998) Modified Penman-Monteith Equation.
3. ETo Calculated from the Original Penman-Monteith Equation with options for canopy resistance input from:
 - 3.1 Equations based on environmental parameters
 - 3.2 Absciscic acid (ABA) plant hormone & Leaf water potential measurements.
 - 3.3 Canopy resistance field Measurements
 - 3.4 Given seasonal average value



Evaporation - Class A Pan



Evapotranspiration

In presence of stomata / canopy surface resistance data, one could use the widely used equation Penman-Monteith (1965) in the following form:

where r_s and r_a are the bulk surface and aerodynamic resistances (s m⁻¹).

$$\lambda E_p = \frac{\Delta R_n + \rho C_p \frac{(e_s - e)}{r_a}}{\Delta + \gamma \left(1 + \frac{r_s}{r_a}\right)}$$



where ET_0 is the reference evapotranspiration, (mm day^{-1}), R_n is the net radiation, ($\text{MJ m}^{-2} \text{ day}^{-1}$), G is the soil heat flux density, ($\text{MJ m}^{-2} \text{ day}^{-1}$), T is the mean daily air temperature at 2 m height, ($^{\circ}\text{C}$), Δ is the slope of the saturated vapour pressure curve, ($\text{kPa } ^{\circ}\text{C}^{-1}$), γ is the psychrometric constant, $66 \text{ Pa } ^{\circ}\text{C}^{-1}$, e_s is the saturated vapour pressure at air temperature (kPa), e_a is the prevailing vapour pressure (kPa), and U_2 is the wind speed at 2 m height (m s^{-1}). The calculated ET_0 here is for short well-watered green grass. In this formula, a hypothetical reference crop with an assumed height of 0.12 m, a fixed surface resistance of 70 s m^{-1} and an albedo of 0.23 were considered.

Calculating the stomata Conductance Based on Jarvis (1967) and Körner (1994): regression Equation

$$g_s = g_{smax} * f(VPD) * f(T) * F(SW) * f(PAR)$$

g_s is the stomata conductance, and g_{smax} is the maximum stomata conductance

$f(VPD)$ is the relative effect of the VPD on stomata conductance

$f(T)$ is the relative effect of the Temperature on stomata conductance

$f(SW)$ is the relative effect of the soil water content on stomata conductance

$f(PAR)$ is the relative effect of the radiation on stomata conductance



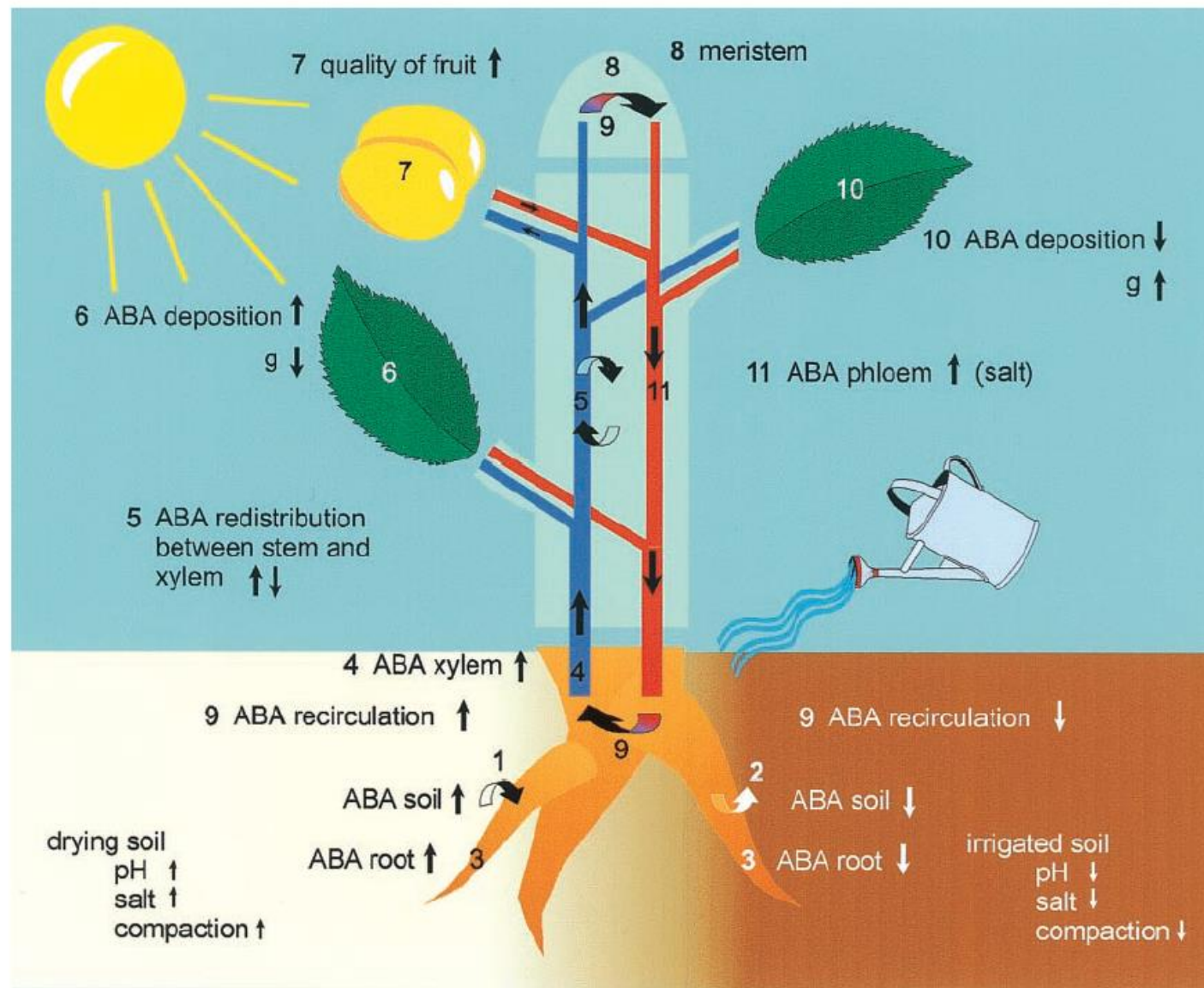


Fig. 1. The numbering of the model plant indicates several factors that influence the formation and intensity of the ABA long-distance signal. On the left hand side of the plant water shortage is demonstrated, the right hand side depicts a sufficient water supply.

The Stomata Conductance using the ABA

Tardieu, F, Zhang, J. and Gowing, D. J. G. 1993. Stomatal control by both [ABA] in the xylem sap and leaf water status: a test of a model for droughted or ABA-fed field-grown maize. Plant, Cell and environment .16:413-420.

$$g_s = g_s \text{ minimum} + \alpha * \text{Exp} (ABA * \beta * \text{Exp} (\sigma * \Psi_l))$$

g_s = Stomata conductance, mole/m²/sec

$g_s \text{ minimum}$ = minimum Stomata conductance (mole/m²/sec)

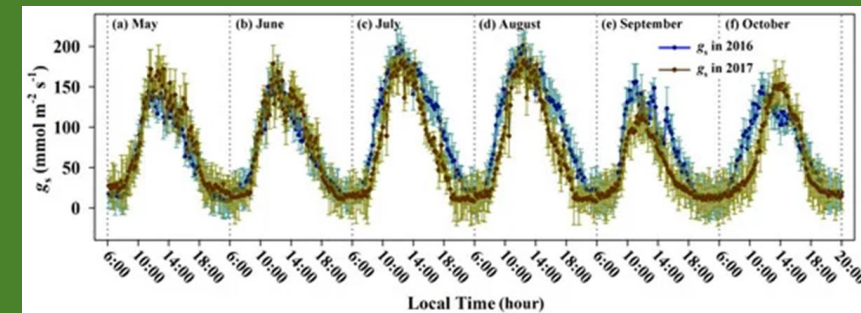
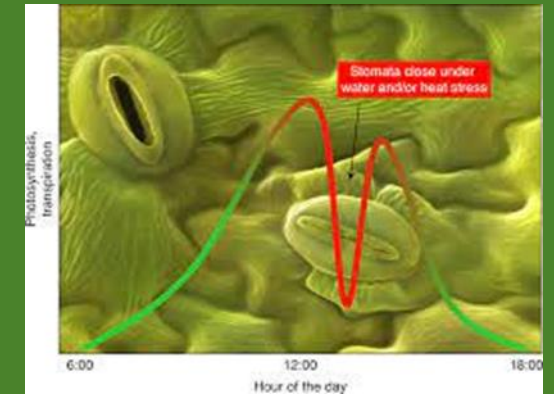
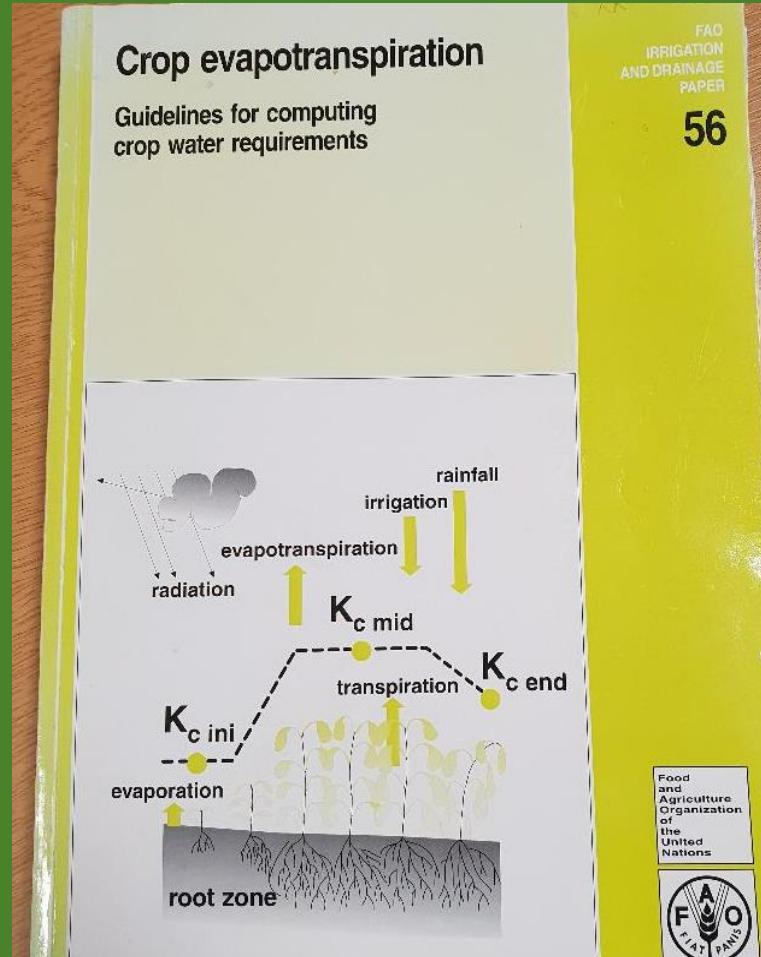
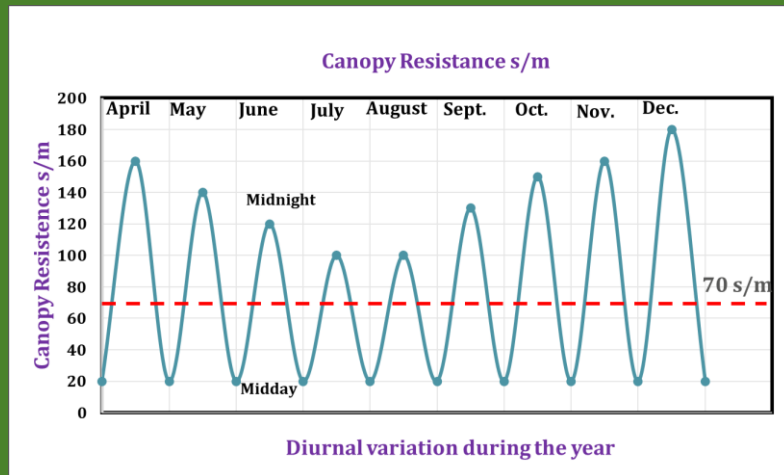
ABA = Abscic Acid concentration, daily values, (mmole/m³)

Ψ_l = Leaf water potential in Mpa, daily values, (-1.3 Mpa)

FAO Modified Penman-Monteith Equation

FAO – ICID cooperation

$$r_s = 70 \text{ s/m}$$



Evapotranspiration

Penman - Monteith, FAO-56 (1998) Version

$$ET_o = \frac{0.408\Delta (R_n - G) + \gamma \frac{900}{T + 273} U_2 (e_s - e_a)}{\Delta + \gamma(1 + 0.34U_2)}$$

$$ET_c = ET_o (K_{cb} + K_e)$$



Water uptake in presence of salts

The water uptake function accounts for water stress & osmotic stress according to Cardon and Letey (1992), which determines the water uptake S (d^{-1})

$$S(z, t) = \left[\frac{S_{\max}(t)}{1 + \left(\frac{a(t)h + \pi}{\pi_{50}(t)} \right)^3} \right] \lambda(z, t)$$

$$S_{\max}(t) = ET_o(t) * K_{cb}(t)$$

$$\begin{aligned} \lambda(z) &= 5/3L && \text{for } z \leq 0.2L \\ &= 25/12L * (1 - z/L) && \text{for } 0.2L < z \leq L \\ &= 0.0 && \text{for } z > L \end{aligned}$$

where L is the maximum rooting depth

Water uptake in presence of salts

where $S_{\max}(t)$ is the maximum potential root water uptake at the time t ,

z is the vertical depth taken positive downwards,

$\lambda(z,t)$ is the depth-and time-dependent fraction of total root mass,

h is the matrix pressure head,

π is the osmotic pressure head,

$\pi_{50}(t)$ is the time-dependent value of the osmotic pressure at which $S_{\max}(t)$ is reduced by 50%,

$a(t)$ is a weighing coefficient accounts for the differential response of a crop to matrix and solute pressure. $a(t) = \pi_{50}(t)/h_{50}(t)$

where $h_{50}(t)$ is the matrix pressure at which $S_{\max}(t)$ is reduced by 50%.

Crop Yield – crude estimation from relative Yield

$$RY = \frac{\sum S(t)}{\sum S_{\max}(t)}$$

$$AY = RY * Y_{\max}$$



Crop Growth, Biomass & yield production

Eckersten, H and Jansson, P.- E. 1991. Modelling water flow, nitrogen uptake and production for wheat. Fertilizer Research 27: 313-329.

Increase in Biomass $\Delta q, \text{g/m}^2/\text{day} = \text{Net Assimilation "NA"}$

Net Assimilation, "NA" = Assimilation "A" – Respiration losses "R"

**Assimilation rate, "A" per unit of area = $E * I * f(\text{Temp}) * f(T) * f(\text{Leaf-N})$
 $\text{g/m}^2/\text{day}$**

Crop Growth and Biomass production

The assimilation rate A per unit area =

$$E * I * f(\text{Temp}) * f(T) * f(\text{Leaf-N})$$

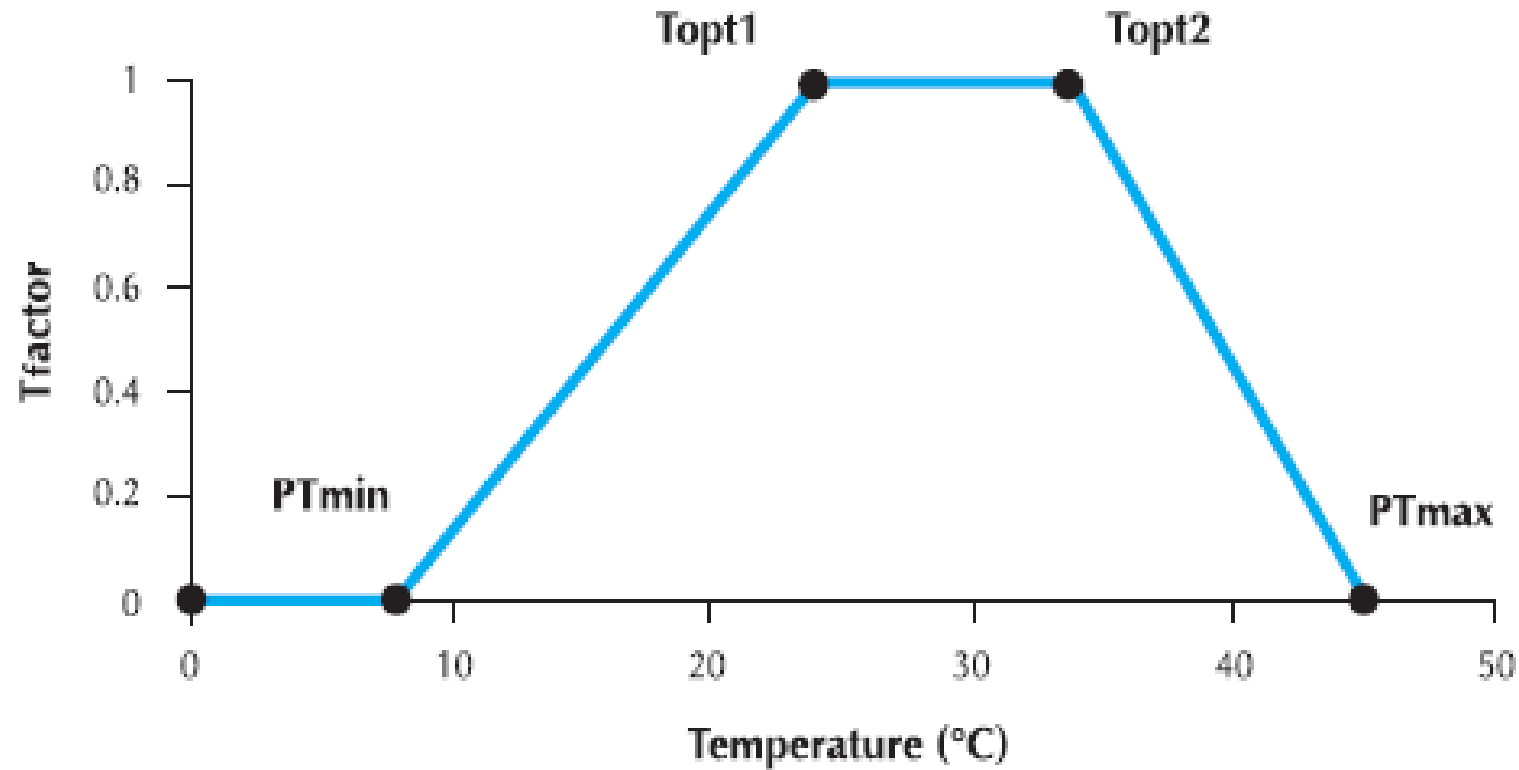
$E * I$ [stress factors related to temperature Temp, transpiration, T & leaf nitrogen content, Leaf-N]:

E = is the Photosynthesis Efficiency, g dry matter / MJ

I : The radiation input: $= R_s (1 - e^{-k \cdot \text{LAI}})$, R_s is global Radiation, MJ/m²/day, k is extinction and LAI is the leaf area Index (m²/m²).

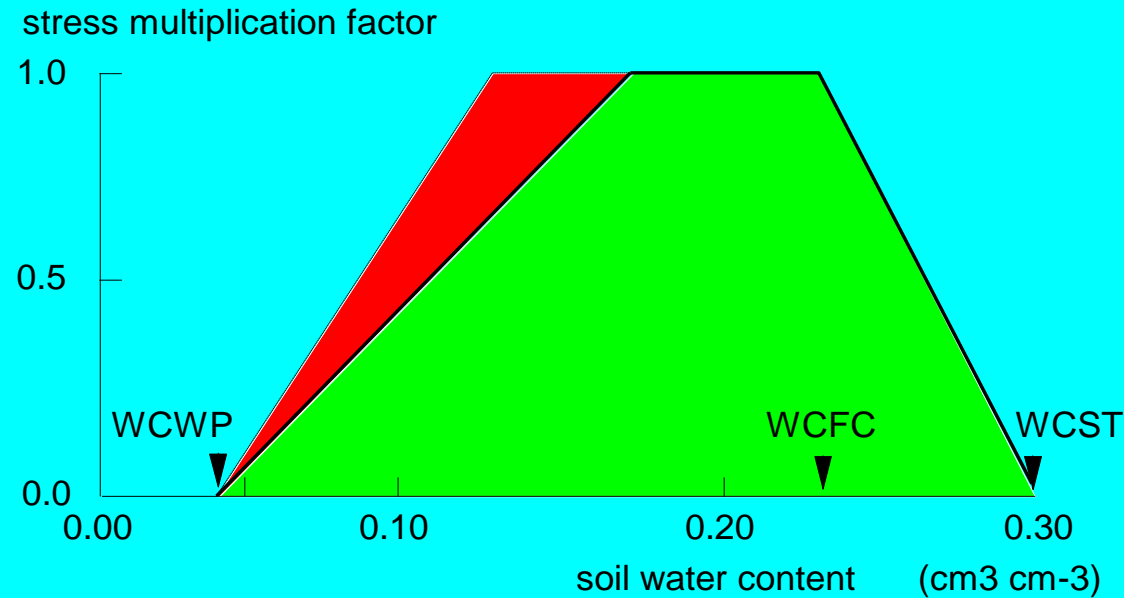


Effect of Temperature on Crop Growth



Note: PTmin and PTmax are the minimum and maximum temperatures for photosynthesis. Topt1 and Topt2 are the lower and higher extremes of the optimum temperature range.

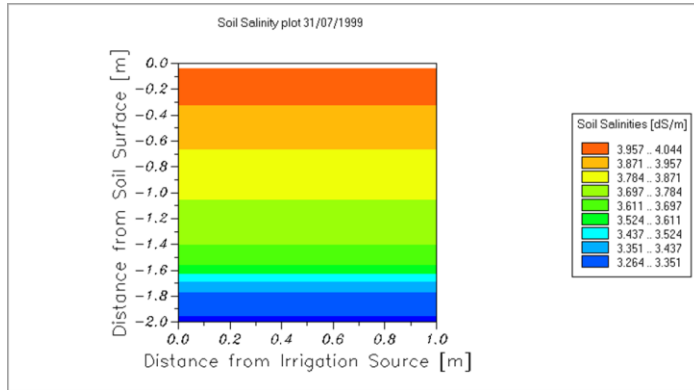
The Transpiration stress factor, T, based on soil water content



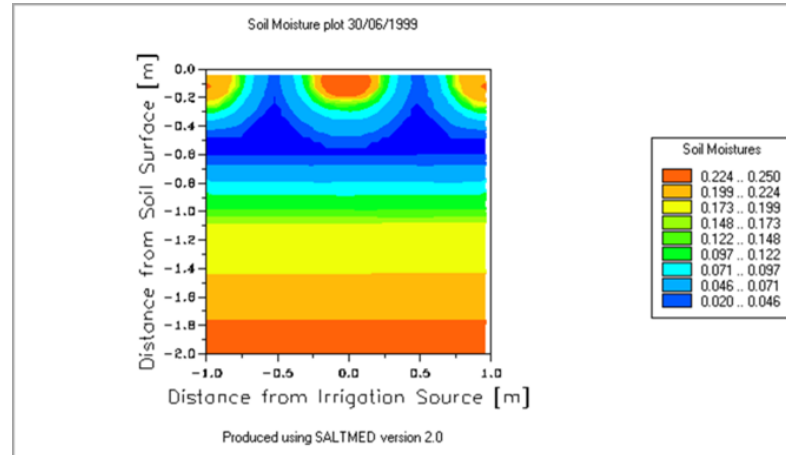
The relation between the soil water content and the stress multiplication factor on the rate of water uptake. (After Penning De Vries et al., 1989).



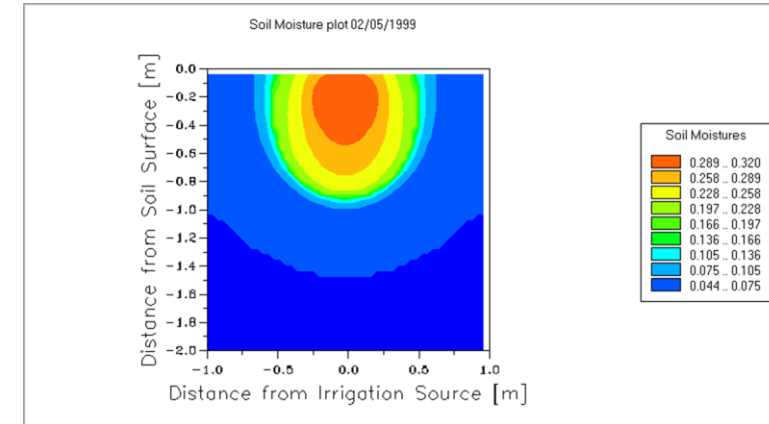
1-Dimensional Water and solute transport (basin, sprinkler, Centre Pivot irrigation systems)



2-Dimensional Water and solute transport (Trickle/Furrow irrigation systems)



Cylindrical /Spherical 3-Dimensional Water and solute transport (drip widely spaced drippers with no overlapping wetting fronts.



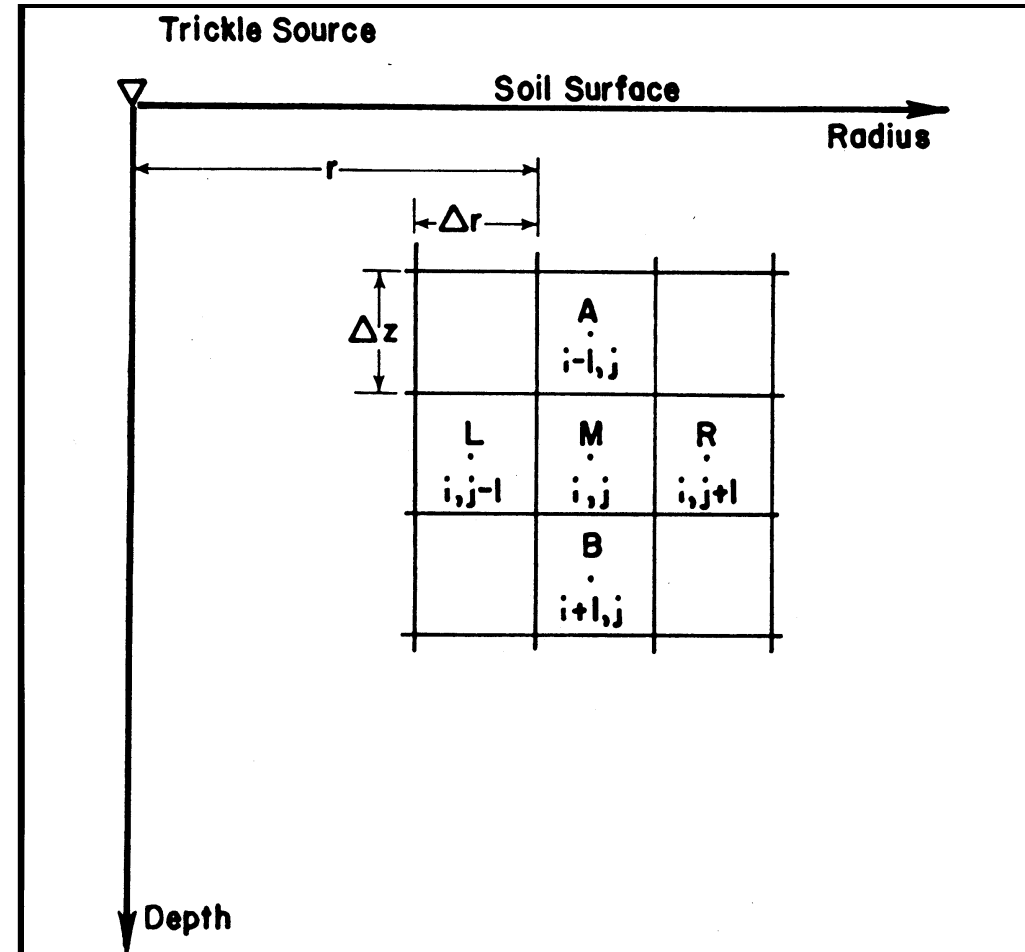
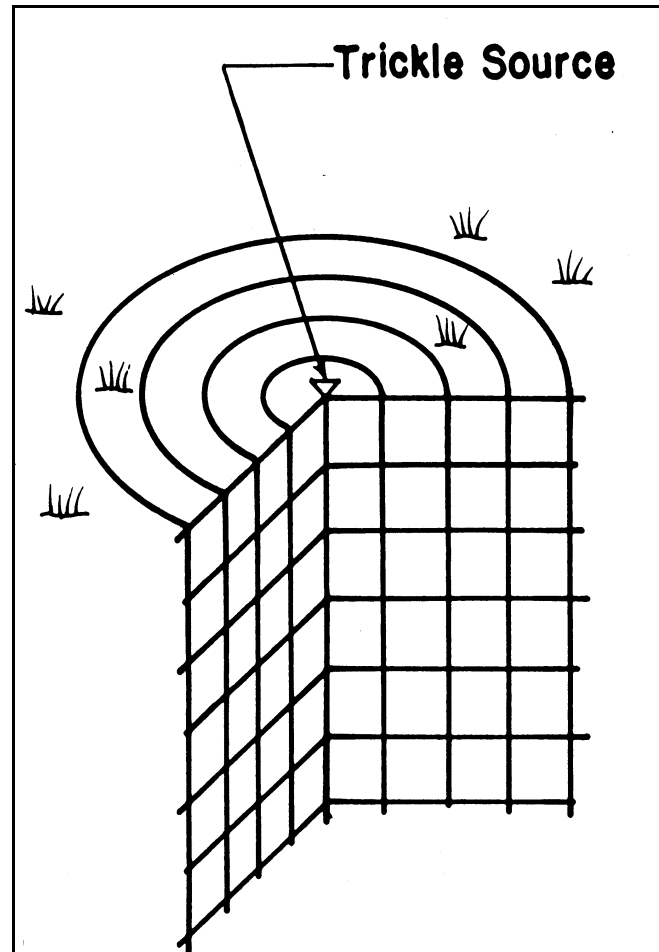
Water and solute transport under irrigation systems

In Rain fed, basin and Sprinkler irrigation, water and solute transport can be described by One-Dimensional water and solute transport equation.

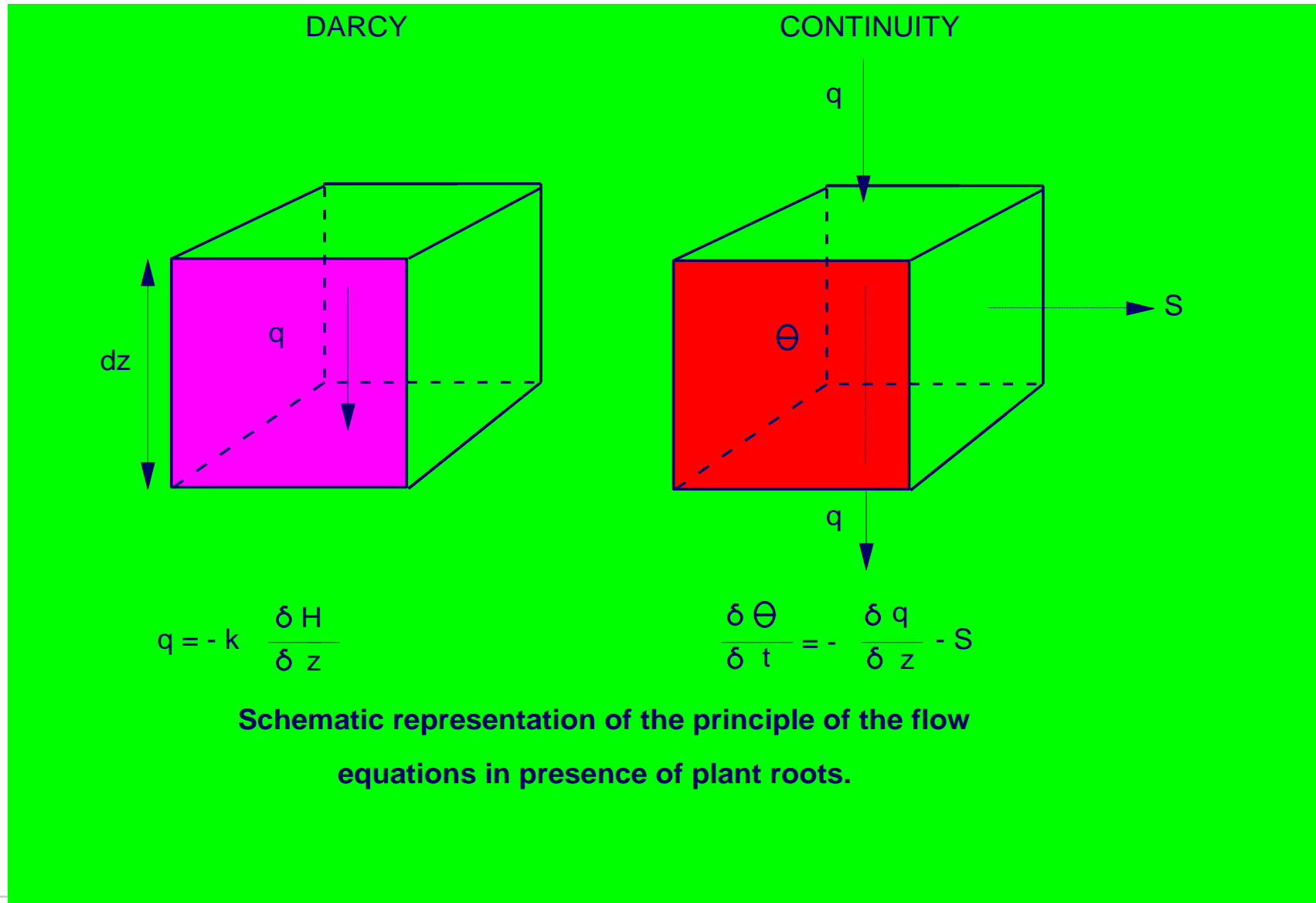
In Furrow & trickle line source water & solute transport can be described as two-dim. “plane flow” using Cartesian co-ordinates x and z .

In trickle point source water & solute can be described as 3-dim. and can be viewed as “cylindrical flow” using cylindrical co-ordinates r and z .

2-Dimensional Water and solute transport (Trickle/Furrow irrigation systems)



Water and solute flow Equations



Water and solute flow

The vertical transient-state flow water in a stable and uniform segment of the root zone can be described by a **Richard's type** equation as:

$$\frac{\partial \theta}{\partial t} = -\frac{\partial}{\partial z} \left[K(\theta) \frac{\partial (\psi + z)}{\partial z} \right] - S_w$$

Water and solute one-dimensional flow

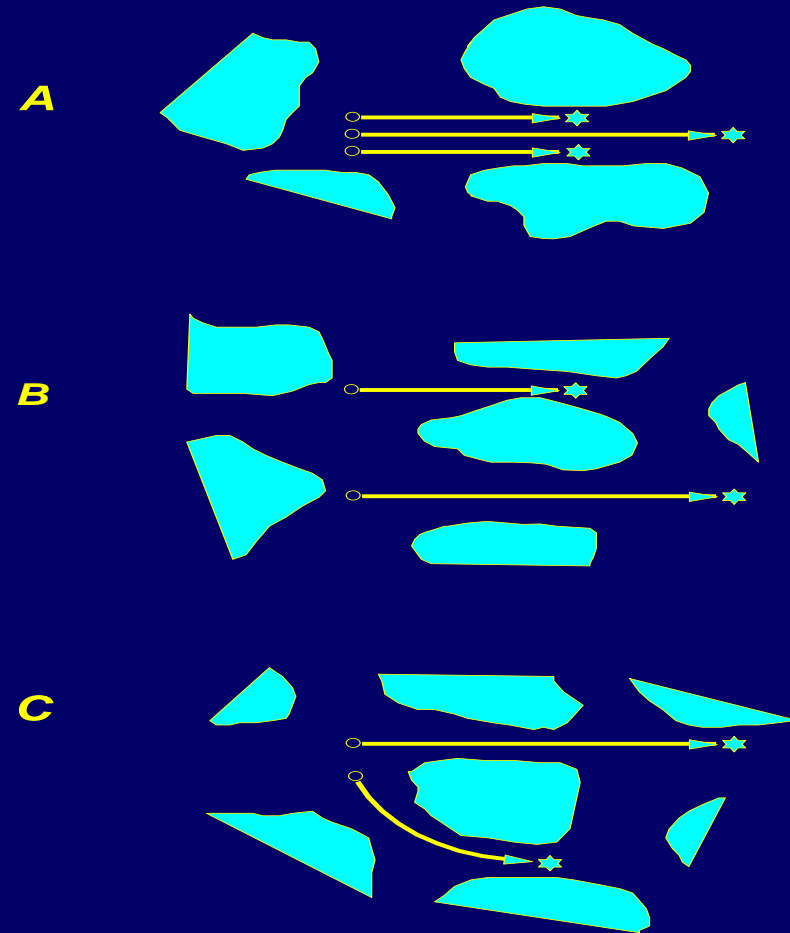
Solute flow by convection can be formulated (Hillel, 1977) as:

$$J_c = qc = v\theta c$$

where **J_c** is the solute flux density; **q** is the water flux density of the water; **c** the concentration of solute in the **flowing water** and **v** is the average velocity of the flow. The rate of **a diffusion of a solute (J_d)** in **bulk water at rest** is related (by Fick's law) to the concentration gradient as:

$$J_d = D_o (\delta c / \delta x)$$

Mechanical dispersion, A: effect of pore walls, B: effect of pore diameter, C: effect of tortuosity (De Smedt, 1979).



Water and solute flow

The convection flux generally causes hydrodynamic dispersion too, an effect that depends on the microscopic non-uniformity of flow velocity in the various pores. Thus a sharp boundary between two miscible solutions becomes increasingly diffuse about the mean position of the front. For such a case, the hydrodynamic dispersion coefficient has been found by Bresler (1975) to depend linearly on the average flow velocity V , as follows:

$$D_h = \alpha v$$

where α is an empirical coefficient. By the combination of the diffusion, the dispersion and the convection the overall flux of solute can be obtained as:

$$J = - (D_h + D_s) (\delta c / \delta x) + v \theta c$$

Overall solute flux = diffusion+ the dispersion+ the convection flux of solute

D_s is the solute diffusion in soil which decreases due to the fact that the liquid phase occupies only a fraction of soil volume, and also due to the tortuous nature of the path. It can, therefore, be expressed according to the following equation where D_0 is the diffusion coefficient as:

$$D_s = D_0 \theta \xi$$

where ξ is the tortuosity, it is an empirical factor smaller than unity, which can be expected to decrease with decreasing θ as:

$$\xi = \theta^{7/3} / \theta_s^2$$

Water and solute one-dimensional flow

If one takes the continuity equation into consideration, **one-dimensional** transient movement of a non-interacting solute in soil can be expressed as:

$$\frac{\partial(\theta c)}{\partial t} = \frac{\partial}{\partial z} \left(D_a \frac{\partial c}{\partial z} \right) - \frac{\partial(qc)}{\partial z} - S_s$$

in which c is the concentration of the solute in the soil solution, q is the convective flux of the solution, **D_a is a combined diffusion and dispersion coefficient**, and S_s is a sink term for the solute representing root adsorption/uptake. The salt concentration, “ c ” in the righthand side of the equation means mg/litre soil solution while salt content “ (θc) ” at the lefthand side of the equation means mg/litre bulk soil. The model output results are given as “ C ” mg/l soil solution.

Water transport under Trickle/Furrow irrigation systems. 2-dimensional flow

For a stable, isotropic and homogeneous porous, the two-dim. flow of water in the soil can be described as:

$$\frac{\partial \theta}{\partial t} = \frac{\partial}{\partial x} \left[K(\theta) \frac{\partial \psi}{\partial x} \right] + \frac{\partial}{\partial z} \left[K(\theta) \frac{\partial (\psi + z)}{\partial z} \right] - S_w$$

Water and solute transport under Trickle/Furrow irrigation systems. 2-dimensional flow

$$\frac{\partial(C\theta)}{\partial t} = \frac{\partial}{\partial x} \left(D_{xx} \frac{\partial C}{\partial x} + D_{xz} \frac{\partial C}{\partial z} - q_x C \right) + \frac{\partial}{\partial z} \left(D_{zz} \frac{\partial C}{\partial z} + D_{zx} \frac{\partial C}{\partial x} - q_z C \right) - S_s$$

Trickle point source

Trickle point source is described by cylindrical flow equations obtained by **replacing x** by the radius **“r”** and rearranging Equations as given by Bresler (1975) and Fletcher Armstrong and Wilson (1983).

Water and solute 2-dimensional transport

The hydrodynamic dispersion coefficient (D_h) for 2-Dim solute flow, D_{ij} can be defined as follows:

$$D_{ij} = \lambda_T |V| \delta_{ij} + (\lambda_L - \lambda_T) V_i V_j / |V| + D_s(\theta)$$

where λ_L is the longitudinal dispersivity of the medium; λ_T is the transversal dispersivity of the medium; δ_{ij} is Kronecker delta; V_i is the i component of the average interstitial solution velocity $V = (V_x^2 + V_z^2)^{1/2}$ and $D_s(\theta)$ is the soil diffusion coefficient:

$$D_s = D_0 \theta \xi$$

where ξ is the tortuosity, it is an empirical factor smaller than unity, which can be expected to decrease with decreasing θ as:

$$\xi = \theta^{7/3} / \theta_s^2$$



Soil Moisture and Salt content as output

The soil Moisture content, θ

The salt concentration, C (mg/litre soil solution)

The salt content $C*\theta$, (mg/litre bulk soil)

Relative salt concentration, $C - C_{irr} / C_{ini}$

Soil hydraulic properties in SALTMED

Either given as input text files (Hydraulic conductivity vs Soil moisture and water potential vs soil moisture) or calculated according to van Genuchten (1980) as:

$$\theta(h) = \theta_r + [(\theta_s - \theta_r) / (1 + |\alpha h|^n)^m]$$

$$K(h) = K_s K_r(h) = K_s S_e^{1/2} [1 - (1 - S_e^{1/m})^m]^2$$

These equations were used after being re-arranged to obtain the soil water potential and hydraulic conductivity as functions of effective saturation as:

$$S_e = (\theta - \theta_r) / (\theta_s - \theta_r)$$

$$n = \lambda + 1$$

$$h(S_e) = [(S_e^{-1/m} - 1)^{1/n}] / \alpha$$

$$m = \lambda / (\lambda + 1) = m = \lambda / n$$

$$K(S_e) = K_s S_e^\lambda [1 - (1 - S_e^{1/m})^m]^2$$

$$\alpha = (1/hb)$$

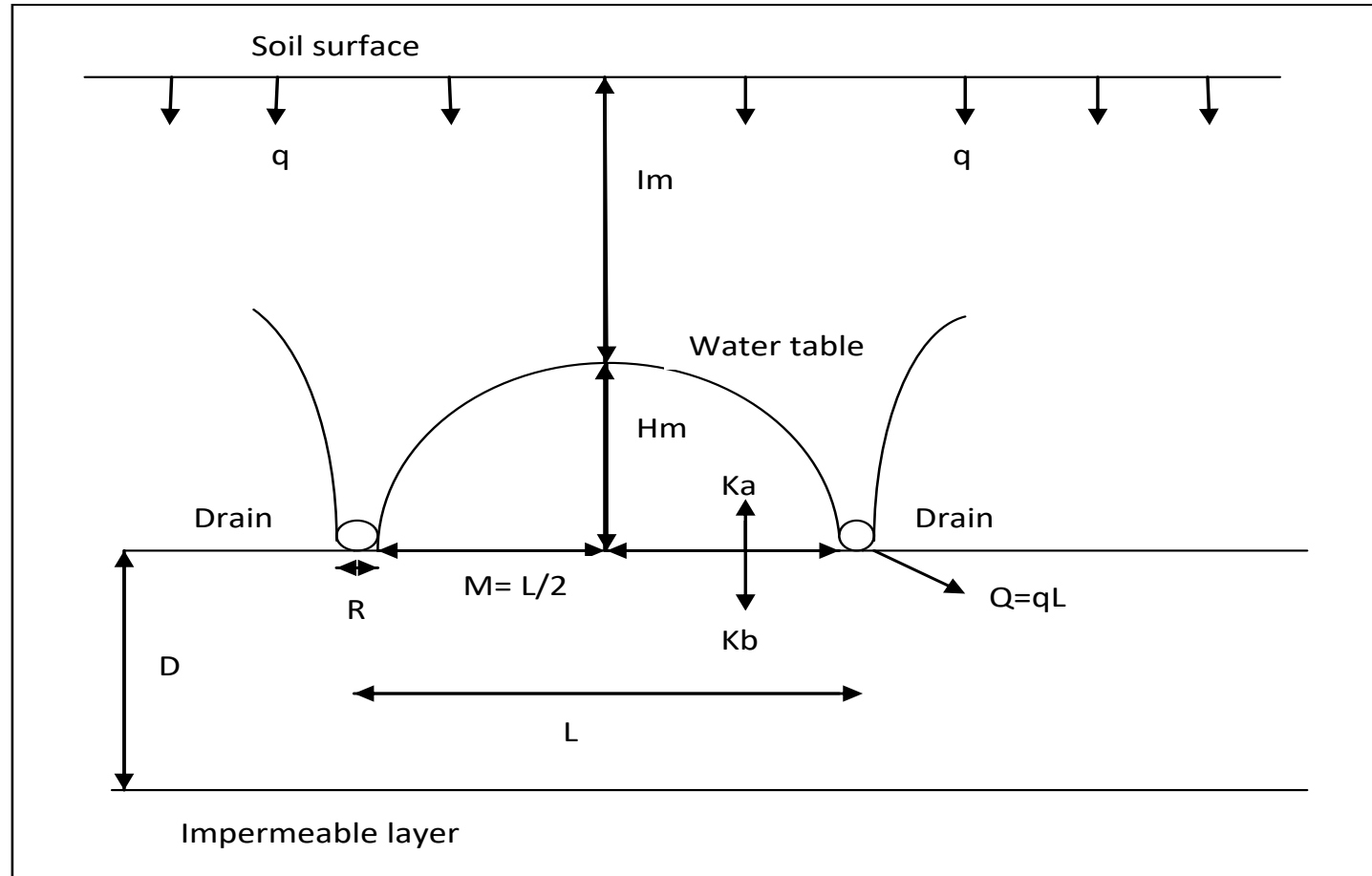
Where θ_r and θ_s denote the residual and the saturated moisture contents, respectively; K_s and K_r are saturated and relative hydraulic conductivity respectively, α and n are shape parameters, $m = 1 - 1/n$. S_e is effective saturation or normalized volumetric soil water content. α , n and λ are empirical parameters.

Salinity Leaching Requirements

$$LR = \frac{C_i}{C_d}$$

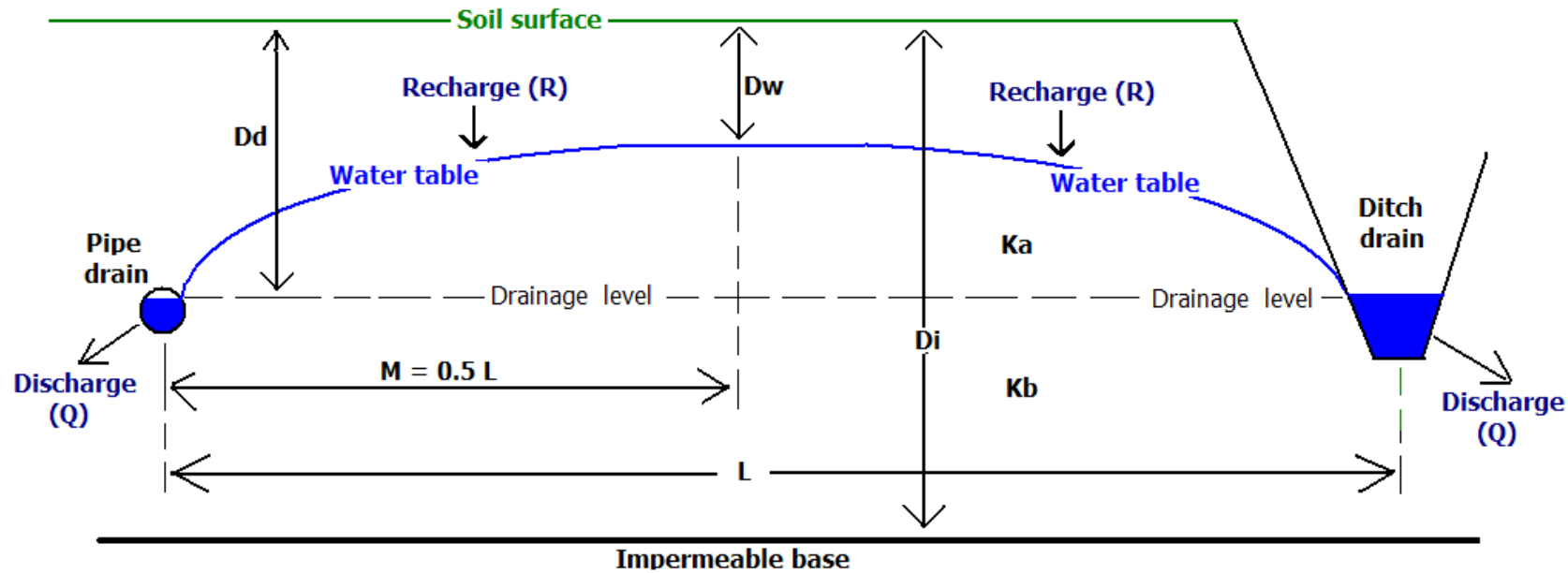
Where C_i is irrigation water Concentration & C_d is drainage water concentration or mean salinity concentration of the root zone.

Sub surface drainage: Open and pipe drains



$$qL = (8H_m / L)(K_b \times D_e + K_a \times H_a)$$

Open and tiled Drainage System



Geometry subsurface drainage system by pipes or ditches

D = depth K = hydraulic conductivity L = Drain spacing

$$qL = (8Hm / L)(Kb \times De + Ka \times Ha)$$

Sub surface drainage

Hooghoudt's equation was presented by Wesseling (1973).

$$qL = (8Hm / L) (Kb \times De + Ka \times Ha) \quad 1$$

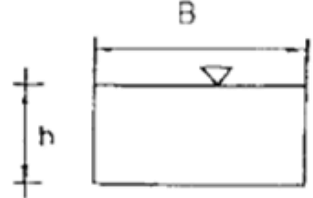
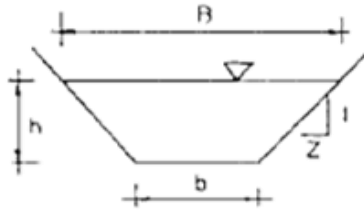
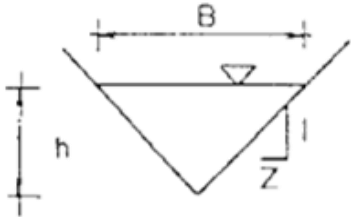
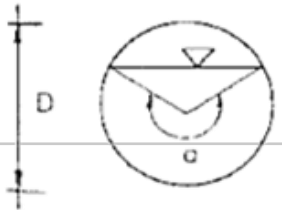
where q is the steady recharge of water percolating to the water table equal to the drain discharge (m/day or m/hr), L is the drain spacing (m), Hm is the height of the water table midway between drains, taken with respect to the centre of the drain (m), Kb is the hydraulic conductivity of the soil below drain level (m/day or m/h), Ka is the hydraulic conductivity of the soil above drain level (m/day or m/h), De is Hooghoudt's equivalent depth to the impermeable layer below drain level, and $Ha = Hm/2$ is the average height of the water table above drain level.

Sub surface drainage

J. David Bankston¹, Jr. and Fred Eugene Baker². 1995. Open Channel Flow in Aquaculture, Southern Regional Aquaculture Centre, SRAC Publication No. 374. March 1995.

¹Louisiana Cooperative Extension Service and Sea Grant Program and ²Louisiana Cooperative Extension Service, Louisiana State University Agricultural Centre.

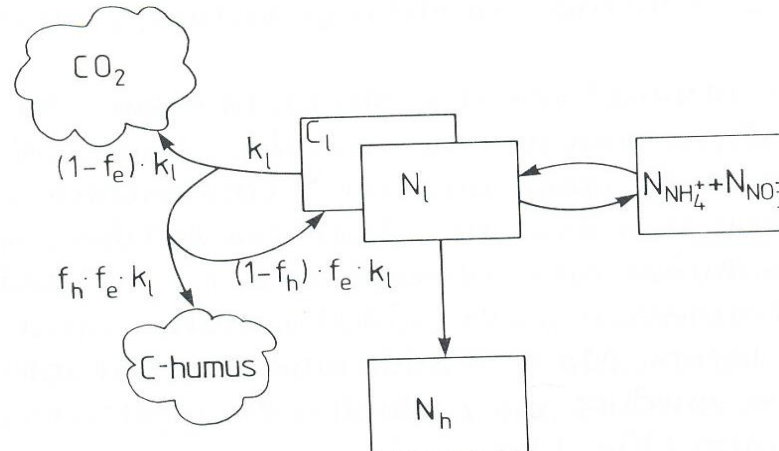
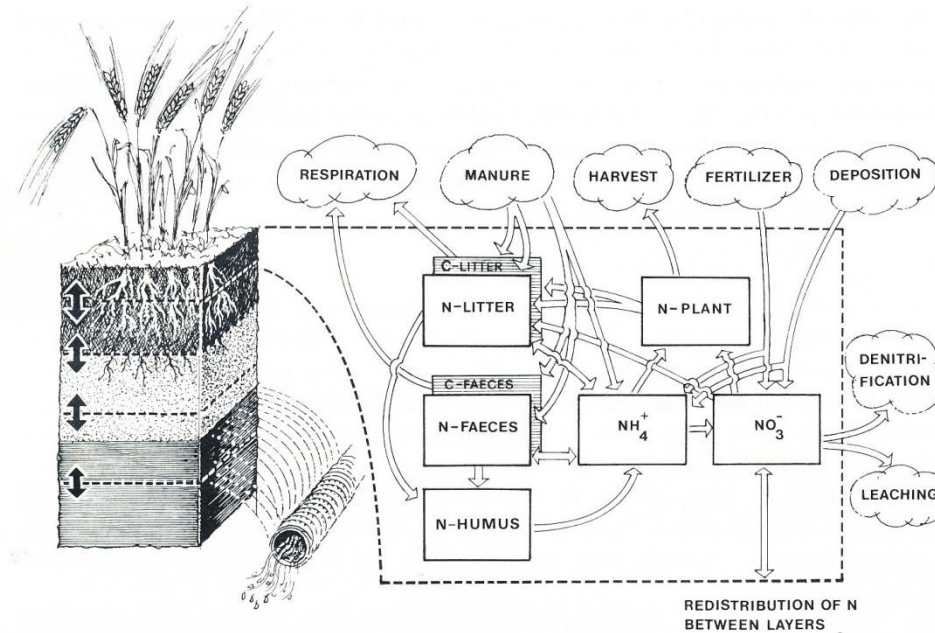
Table 2. Channel section geometry and associated parameters.

Section	Area A	Wetted perimeter P_w	Hydraulic radius $R = \frac{A}{P_w}$
	$B \times h$	$B + 2h$	$\frac{Bh}{B + 2h}$
	$(b + zh)h$	$b + 2h \sqrt{1 + z^2}$	$\frac{(b + zh) h}{b + 2h \sqrt{1 + z^2}}$
	zh^2	$2h \sqrt{1 + z^2}$	$\frac{zh}{2 \sqrt{1 + z^2}}$
	$\frac{(\alpha - \sin \alpha) D^2}{8}$	$0.5 \alpha D$	$0.25 \left[\frac{1 - \sin \alpha}{\alpha} \right] D$

Soil nitrogen cycle and processes according to Johnsson *et al.* (1987)

N- Processes include:

- Mineralization
- Immobilization
- Nitrification
- Denitrification
- Leaching
- Plant N Uptake



Mineralization of Humus

Mineralisation of humus, $N_h(z)$, is calculated as a first-order rate:

$$N_{h \rightarrow NH_4^+}(z) = k_h e_t(z) e_m(z) N_h(z)$$

where k_h is the specific mineralization constant and $e_t(z)$ and $e_m(z)$ are response functions for soil temperature and moisture, respectively.

$N_{h \rightarrow NH_4^+}(z)$ is in g nitrogen $m^{-2} day^{-1}$, k_h is in day^{-1} , e_t and e_m are dimensionless, $N_h(z)$ is in g nitrogen m^{-2} .

Mineralization rate = N amount in humus x mineralization rate X effect of temperature X effect of soil moisture



Mineralization of Litter

Decomposition of **soil litter carbon**, $C_l(z)$, is a function of a specific rate constant (k_l), temperature and moisture:

$$C_{l(d)}(z) = k_l e_t(z) e_m(z) C_l(z)$$

$C_{l(d)}(z)$ is expressed in g carbon $m^{-2} day^{-1}$; k_l in day^{-1} , e_t and e_m are dimensionless and $C_l(z)$ is in g carbon m^{-2} . The relative amounts of decomposition products formed:

$$C_{l \rightarrow CO_2}(z) = (1 - f_e) C_{l(d)}(z)$$

$$C_{l \rightarrow h}(z) = f_e f_h C_{l(d)}(z)$$

$$C_{l \rightarrow l}(z) = f_e (1 - f_h) C_{l(d)}(z)$$

Mineralization of Litter to NH₄

Is governed by a synthesis efficiency constant (f_e) & a humification factor (f_h).

$C_{l \rightarrow CO_2}$, $C_{l \rightarrow h}$ and $C_{l \rightarrow l}$ are expressed in g carbon m⁻² day⁻¹, $C_{l(d)}$ is in g carbon m⁻², f_e and f_h are dimensionless. Net mineralization or immobilisation of nitrogen in litter ($N_l(z)$) is then determined:

$$N_{l \rightarrow NH_4}(z) = \left[\frac{N_l(z)}{C_l(z)} - \frac{f_e}{r_o} \right] C_{l(d)}(z)$$

$N_{l \rightarrow NH_4}$ is in g nitrogen m⁻² day⁻¹, N_l is g nitrogen m⁻², C_l is g carbon m⁻², f_e and r_o (the C-N ratio of microorganisms and humified products) are dimensionless.

Nitrification of NH_4 to NO_3

The transfer rate of ammonium to nitrate:

$$N_{\text{NH}_4 \rightarrow \text{NO}_3}(z) = k_n e_t(z) e_m(z) \left[N_{\text{NH}_4}(z) - \frac{N_{\text{NO}_3}(z)}{\eta_q} \right]$$

depends on the potential rate (k_n) which is reduced as the nitrate-ammonium ratio (η_q) is approached.

$N_{\text{NH}_4 \rightarrow \text{NO}_3}$ is expressed in g nitrogen m^{-2} day^{-1} ,

N_{NH_4} and N_{NO_3} are in g nitrogen m^{-2} , k_n is in day^{-1} , and η_q , e_t and e_m are dimensionless.

Denitrification of NO_3 to N_2 and N_2O

$$N_{\text{NO}_3 \rightarrow}(z) = k_d(z) e_{md}(z) e_t(z) \left[\frac{[N_{\text{NO}_3}(z)]}{[N_{\text{NO}_3}(z)] + c_s} \right]$$

$N_{\text{NO}_3 \rightarrow}(z)$ and $k_d(z)$ are expressed in g nitrogen $\text{m}^{-2} \text{d}^{-1}$,

$N_{\text{NO}_3}(z)$ is in g nitrogen m^{-2} , C_s is in mg l^{-1} , e_t and e_{md} are dimensionless.

The effect of nitrate concentration is controlled by the half saturation-constant, C_s (i.e. the concentration where the rate is 50% of the maximum, if all other conditions are optimal).

Plant Nitrogen Uptake

A logistic uptake curve (greenwood et al., 1974) is used to define the cumulative potential N demand during the growing season:

$$\int u(t) dt = \frac{u_a}{1 + \frac{u_a - u_b}{u_b} e^{-u_c t}}$$

where u_a is the potential annual N uptake, u_b and u_c are shape parameters and t is days after the start of the growing season, u_a is expressed in g nitrogen m^{-2} season $^{-1}$. Daily uptake of nitrate is then calculated from the relative root fraction in the layer ($f(z)$), the proportion of total mineral N as nitrate and the derivative of the growth curve (u). u is obtained on daily basis expressed as gram nitrogen m^{-2} day $^{-1}$,

$N_{NO_3}(z)$ and $N_{NH_4}(z)$ are in gram nitrogen m^{-2} .

Plant Nitrogen uptake

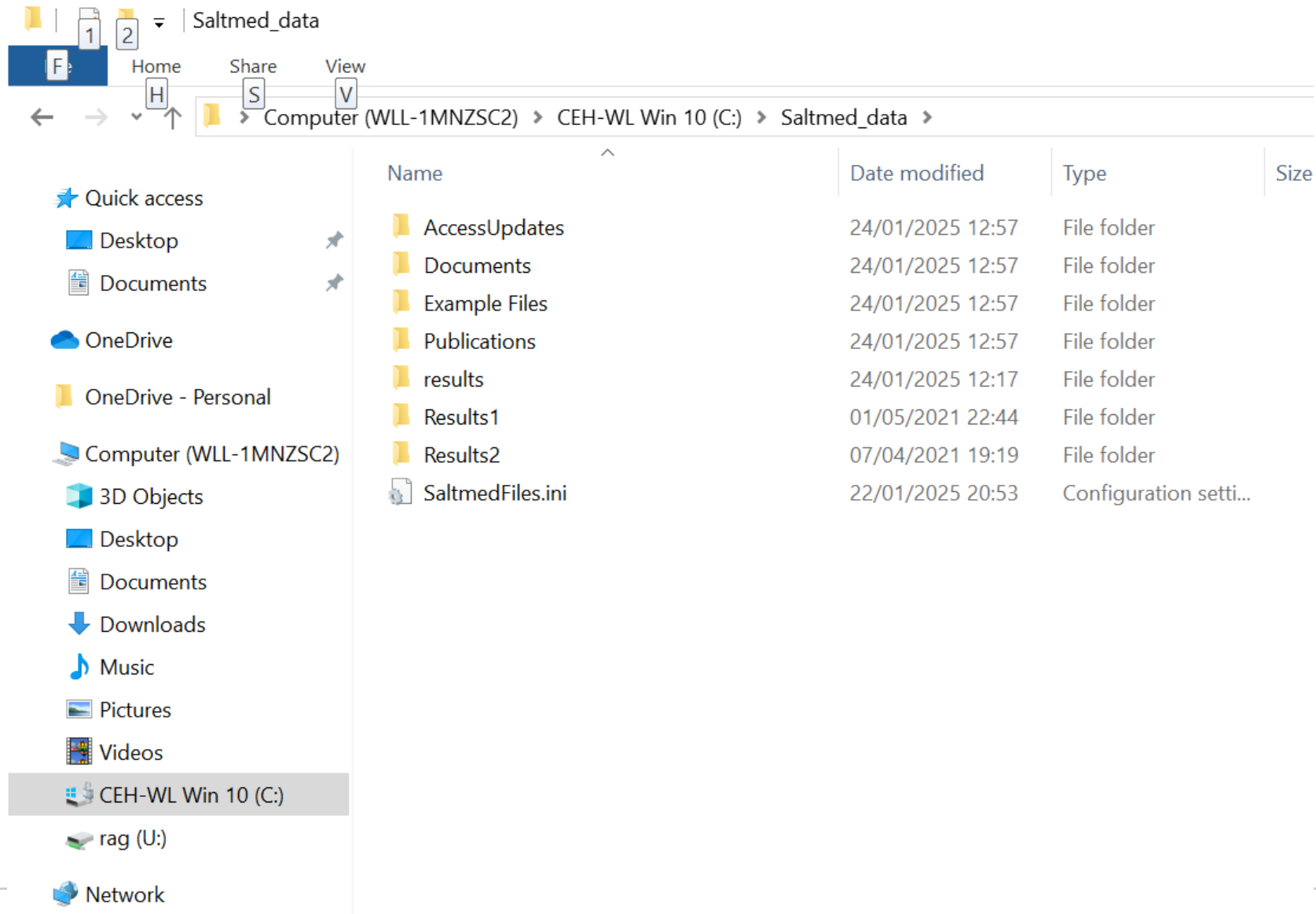
$$N_{NO_3 \rightarrow}(z) = k_d(z) e_{md}(z) e_t(z) \left[\frac{[N_{NO_3}(z)]}{[N_{NO_3}(z)] + c_s} \right]$$

$N_{NO_3 \rightarrow}(z)$ and $k_d(z)$ are expressed in g nitrogen m⁻² d⁻¹,

$N_{NO_3}(z)$ is in g nitrogen m⁻², C_s is in mg l⁻¹, e_t and e_{md} are dimensionless.

$$N_{NO_3 \rightarrow p}(z) - MIN \text{ of } f_r(z) \frac{N_{NO_3}(z)}{N_{NO_3}(z) + N_{NH_4}(z)}^u \text{ and } f_{ma} N_{NO_3}(z)$$

SALTMED Model Folders



Name	Date modified	Type	Size
AccessUpdates	24/01/2025 12:57	File folder	
Documents	24/01/2025 12:57	File folder	
Example Files	24/01/2025 12:57	File folder	
Publications	24/01/2025 12:57	File folder	
results	24/01/2025 12:17	File folder	
Results1	01/05/2021 22:44	File folder	
Results2	07/04/2021 19:19	File folder	
SaltmedFiles.ini	22/01/2025 20:53	Configuration setti...	

SALTMED Input

Input files of climate, irrigation , nitrogen, etc. are given as:

- 1. Excel files**
- 2. Access database**
- 3. Text files**

Parameters Input

New Soil , crop, irrigation, etc. parameters are typed in and can be saved in database or /and as text file “smc” can be retrieved back.

SALTMED Results

Saved under “Results” folder as Excel.csv files or as Access database “Output.accdb” if selected and text files or text files.

SALTMED Model Links

SALTMED 2019. The model is a free **download** from the following link:

The International Commission on Irrigation and Drainage, ICID web site:
http://icid-ciid.org/inner_page/41

SALTMED online course on YouTube:
<https://www.youtube.com/watch?v=JRMeUFzuBYU>

“**SALTMED Publications** in Irrigation and Drainage. Virtual Issues First published: 20 May 2020 Last updated: 20 May 2020. Wiley online Library”.
[https://onlinelibrary.wiley.com/doi/toc/10.1002/\(ISSN\)1531-0361.saltmed-publications](https://onlinelibrary.wiley.com/doi/toc/10.1002/(ISSN)1531-0361.saltmed-publications)

ICID Webinar on Use of saline water, 2020: http://icid-ciid.org/inner_page/131

How to install the model: <https://www.youtube.com/watch?v=Rt-V87jlg3w>

Frequently asked questions:

https://www.youtube.com/watch?v=vcOGQDjPQso&list=PLZYmrBXSZmBk4w_eIIDbYegjaluPaisp-&index=8

Troubleshooting: problems and solutions:

[https://www.youtube.com/watch?v=8NnpII_MtSuE&list=PLZYmrBXSZmBk4w_eIIDbYegjaluPaisp-Individual Issues \(8 Issues\): Trouble shooting-Problems and solutions:](https://www.youtube.com/watch?v=8NnpII_MtSuE&list=PLZYmrBXSZmBk4w_eIIDbYegjaluPaisp-Individual+Issues+(8+Issues):+Trouble+shooting-Problems+and+solutions:)

https://www.youtube.com/watch?v=8NnpII_MtSuE

<https://www.youtube.com/watch?v=3xvntZfomdA>

https://www.youtube.com/watch?v=qVf_mB2Eh9k

<https://www.youtube.com/watch?v=CSdl6w3oE4Y>

https://www.youtube.com/watch?v=s9js_Bmgg6k

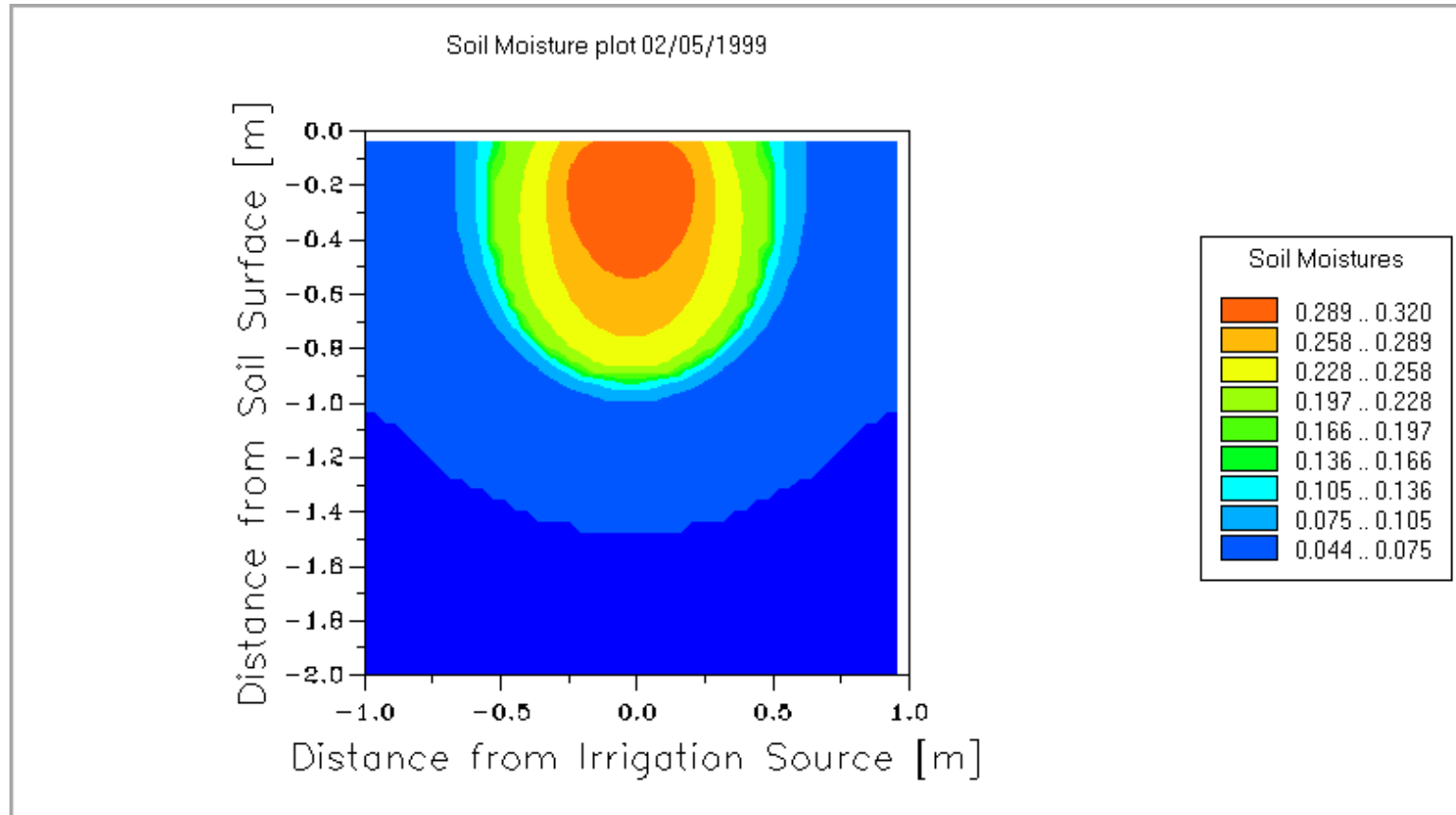
https://www.youtube.com/watch?v=RVe4_Z742gI

<https://www.youtube.com/watch?v=Q7DZvSLjYhM>

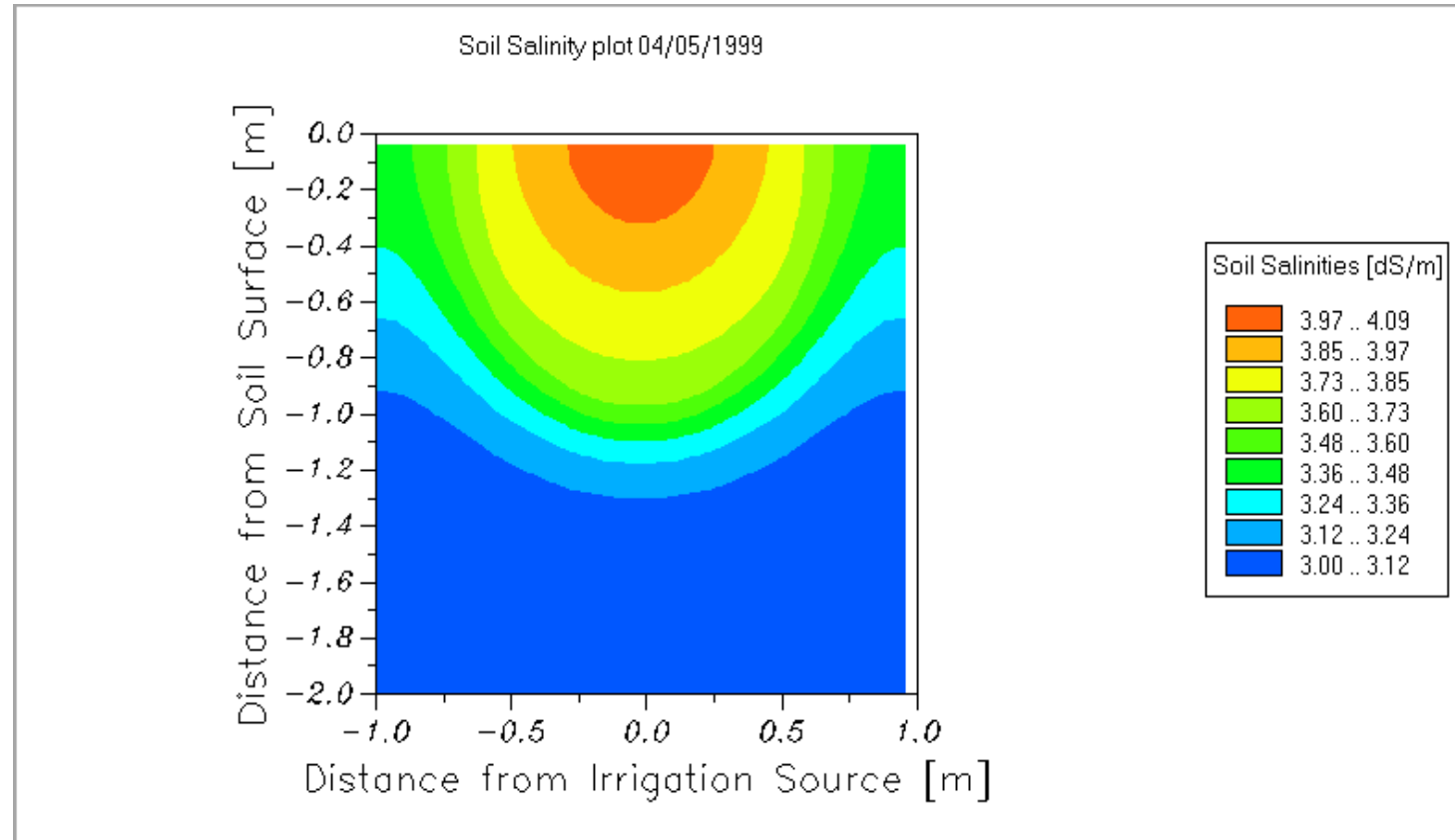
<https://www.youtube.com/watch?v=vcOGQDjPQso>

Real time on screen graphic output during the model run

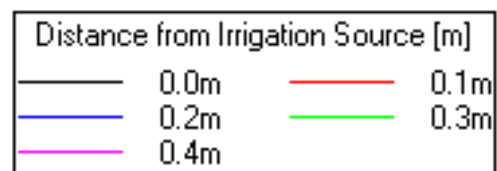
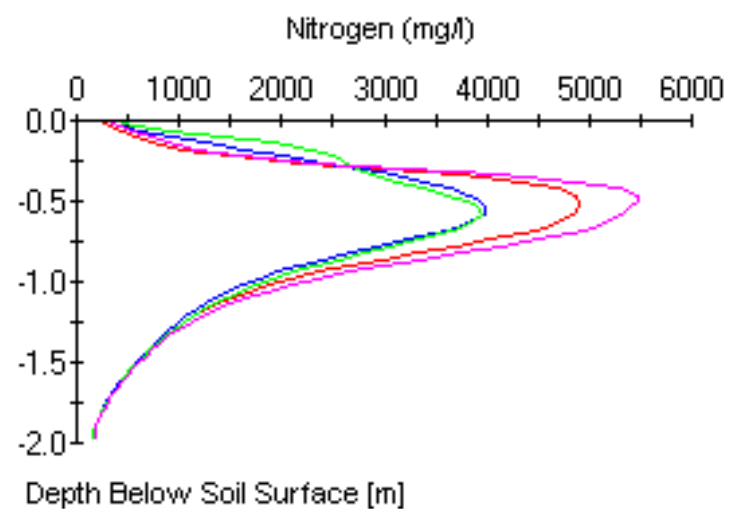
Evolution of soil moisture profile over time under trickle line source



Evolution of soil salinity profile over time under trickle line source

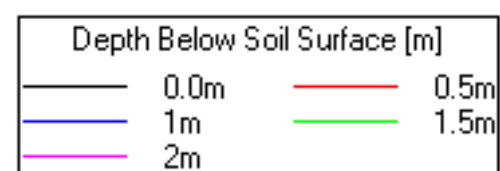
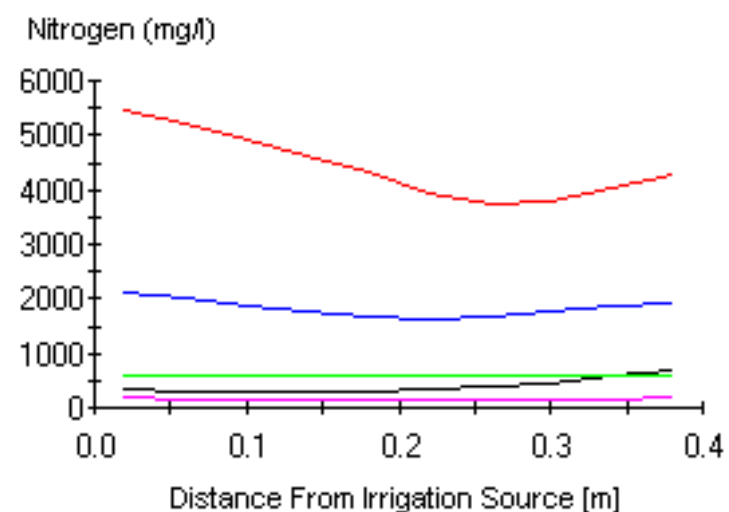


Vertical nitrogen profiles 07/09/2008



Produced using SALTMED version 2008

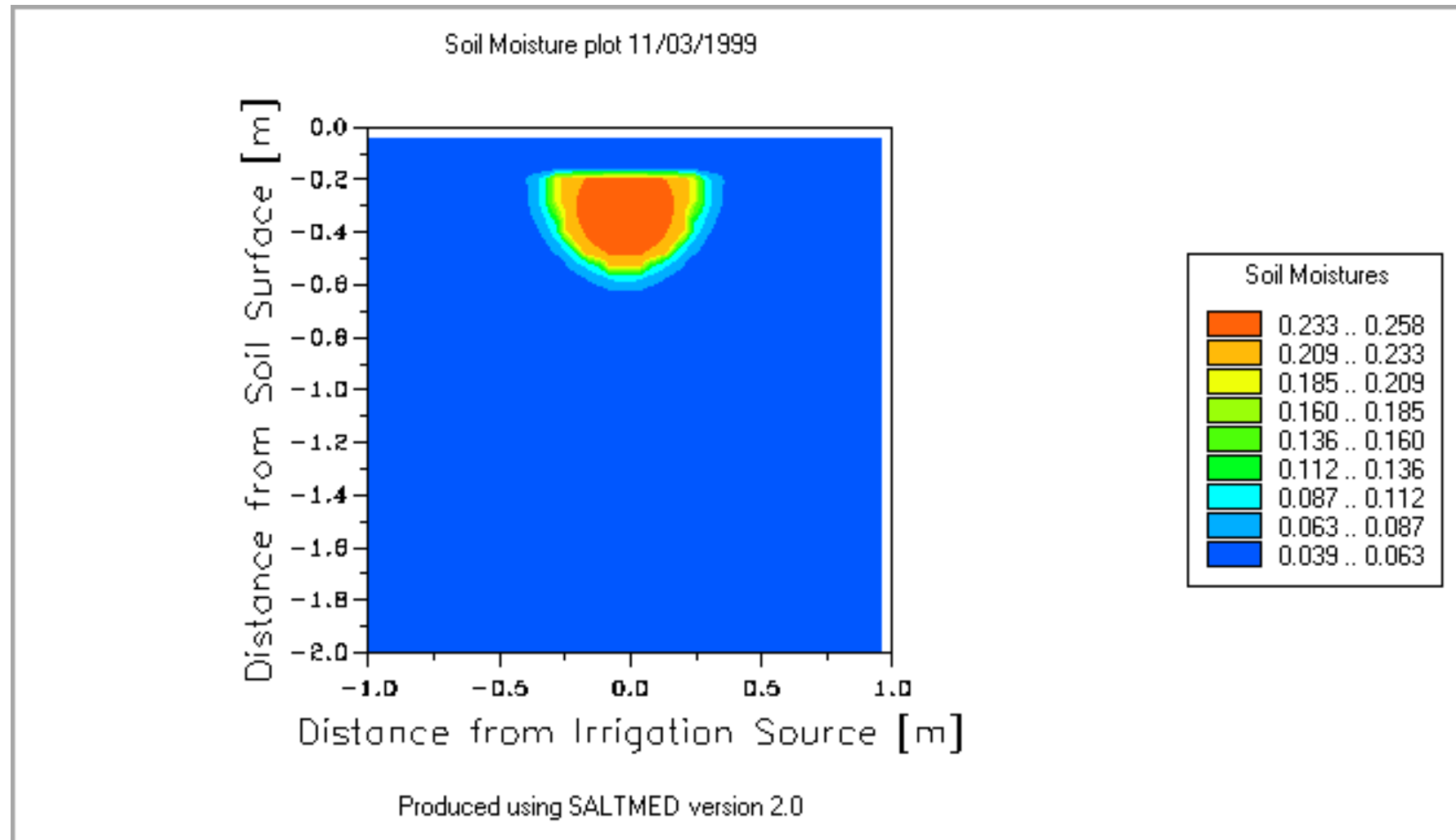
Horizontal nitrogen profiles 07/09/2008



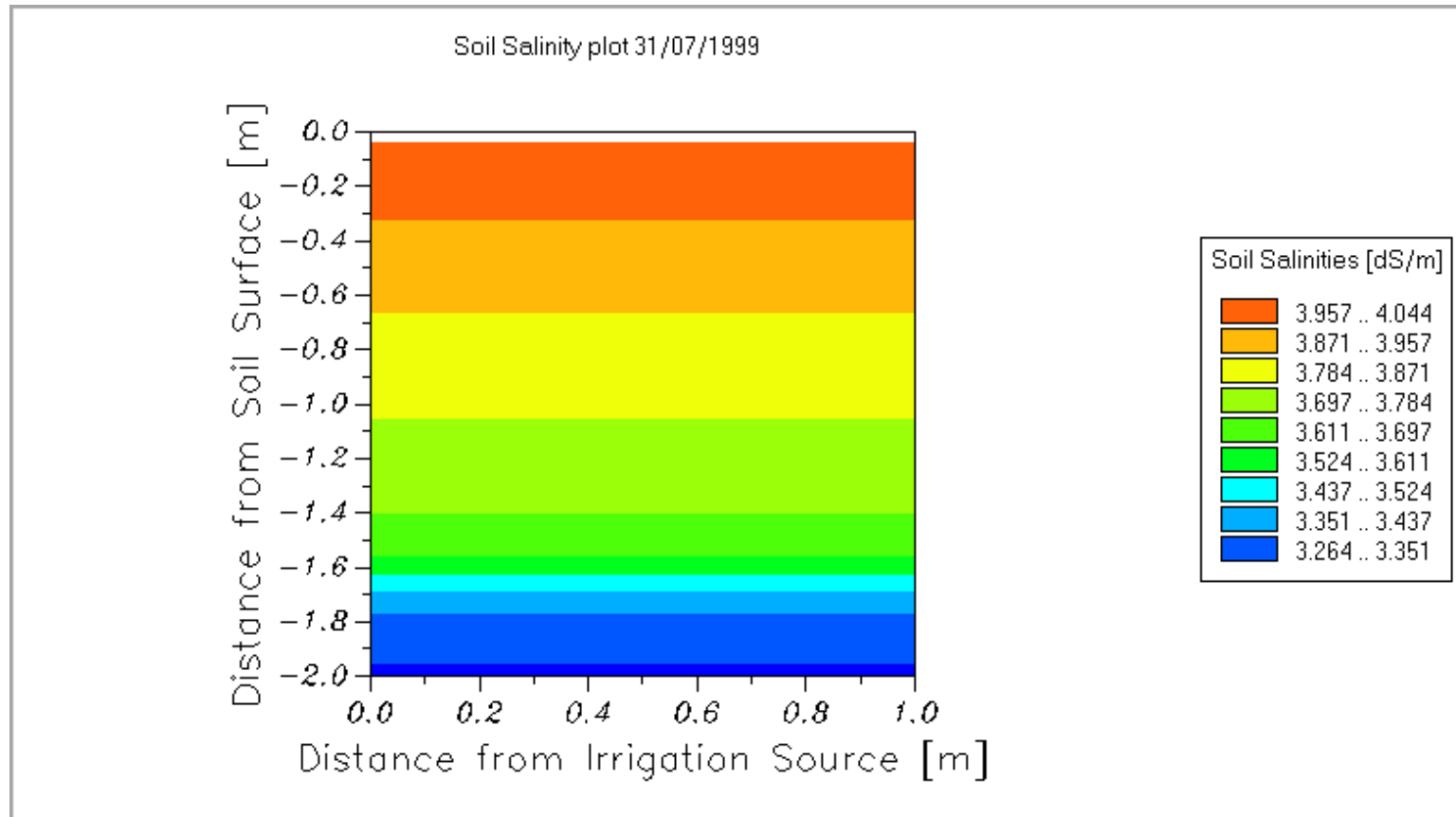
Produced using SALTMED version 2008



Evolution of soil moisture profile over time under sub-surface trickle line source

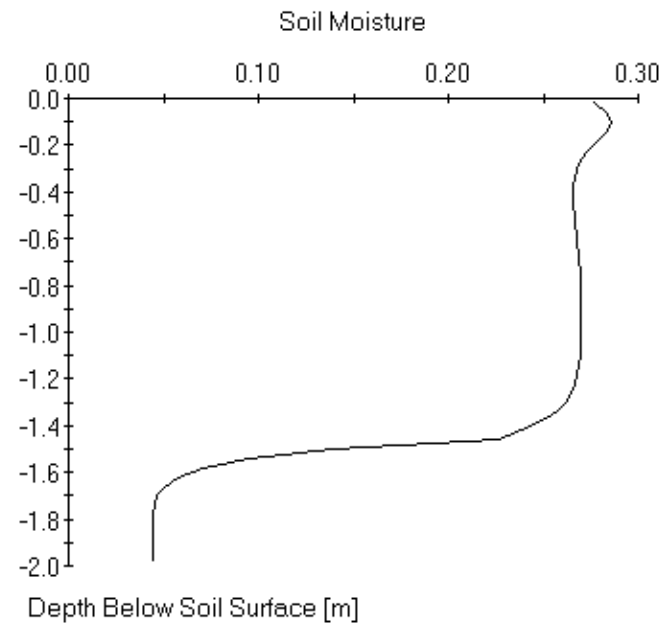


Salinity profile under basin irrigation



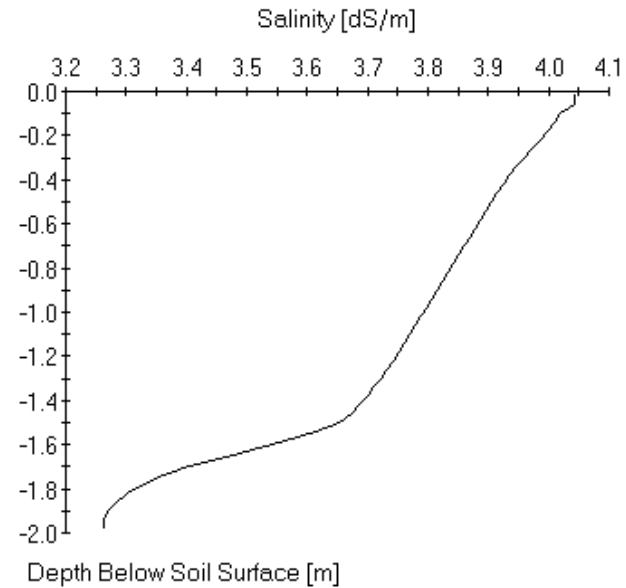
Soil moisture and salinity distribution under basin irrigation

Vertical Moisture Profiles 31/07/1999



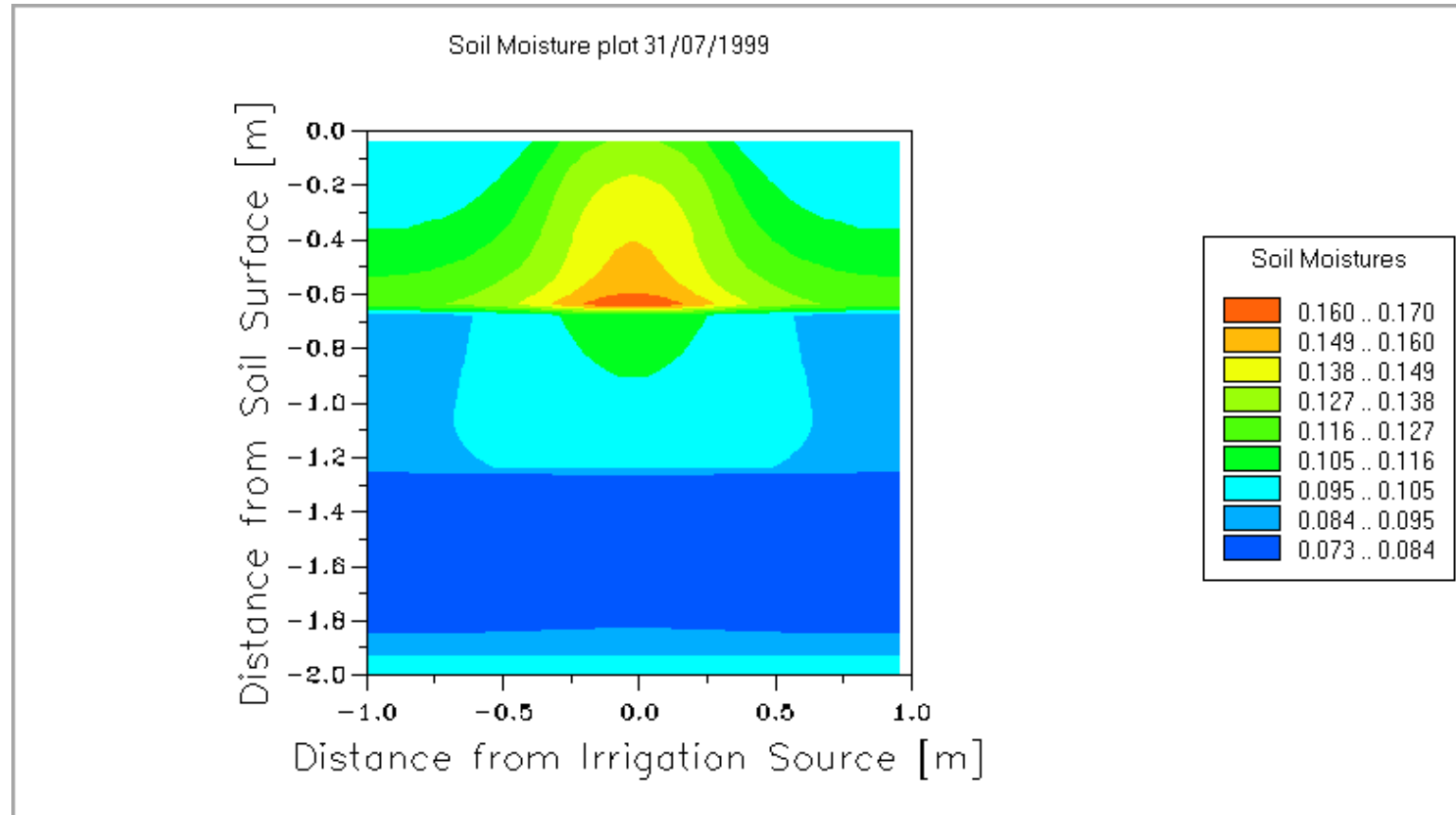
Produced using SALTMED version 1.0.0

Vertical Salinity Profiles 31/07/1999



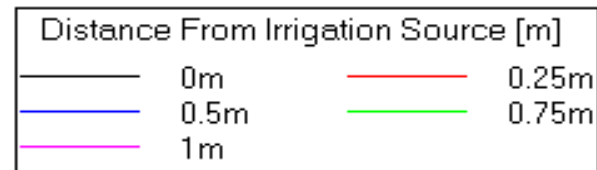
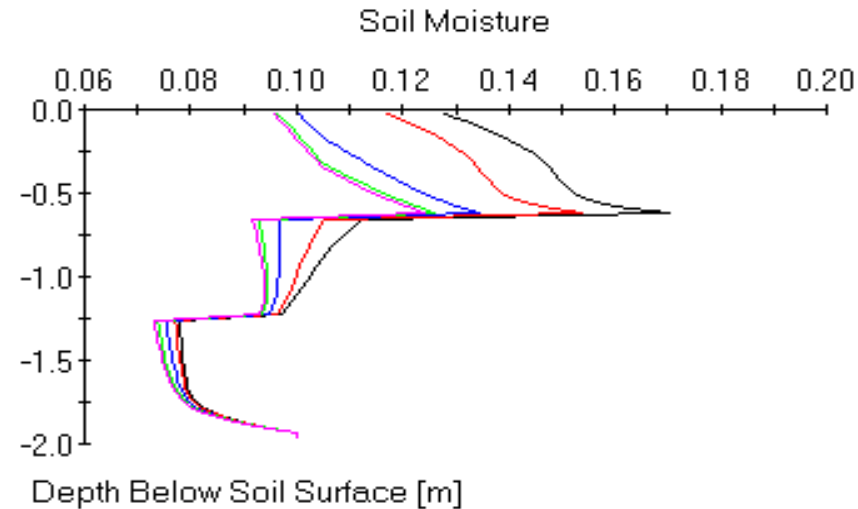
Produced using SALTMED version 1.0.0

Evolution of soil moisture over time under trickle line source- 3 different soil layers



Soil moisture profile of multilayers

Vertical Moisture Profiles 31/07/1999



Produced using SALTMED version 1.0.0

Partial Root Drying , PRD

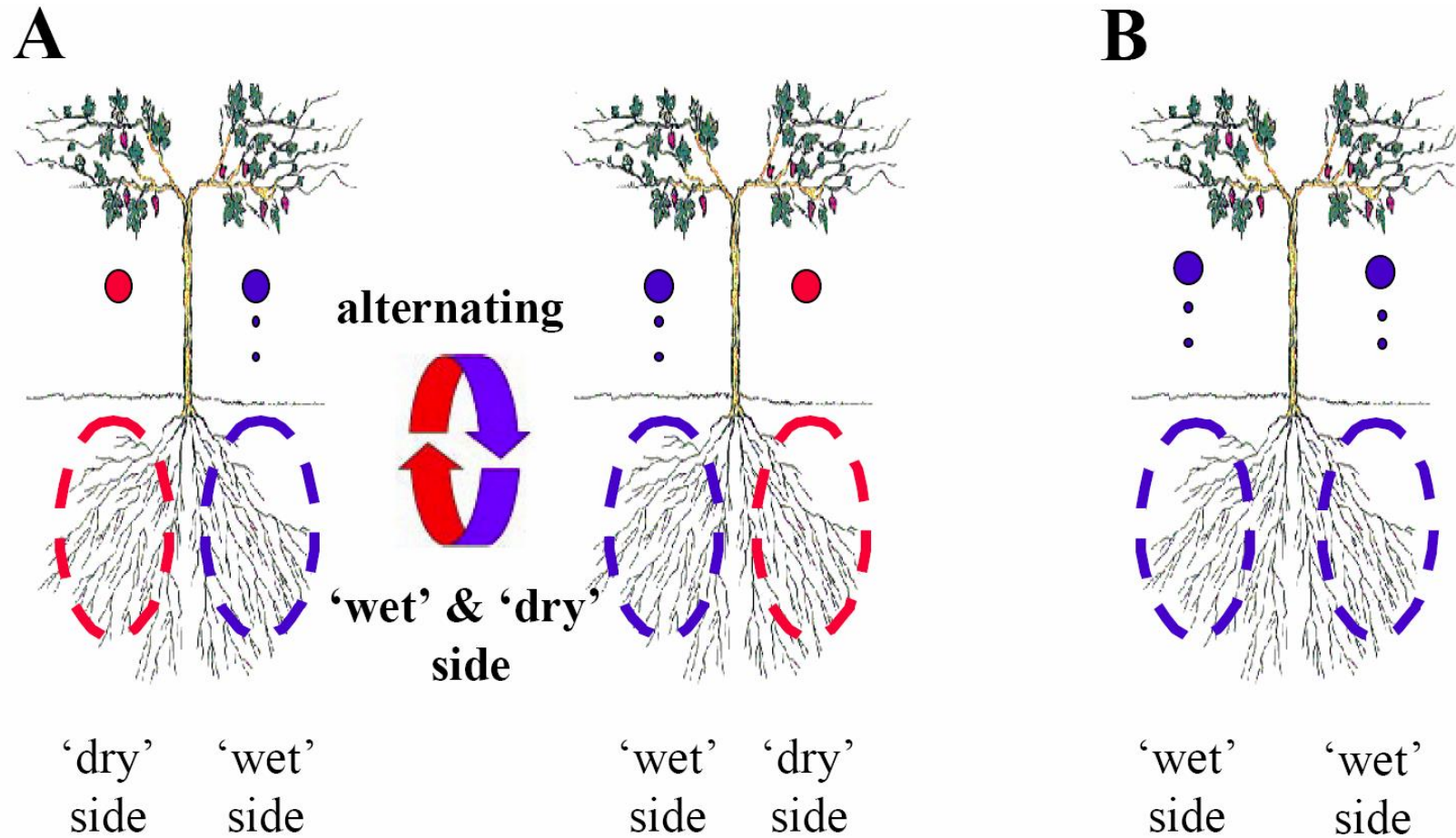
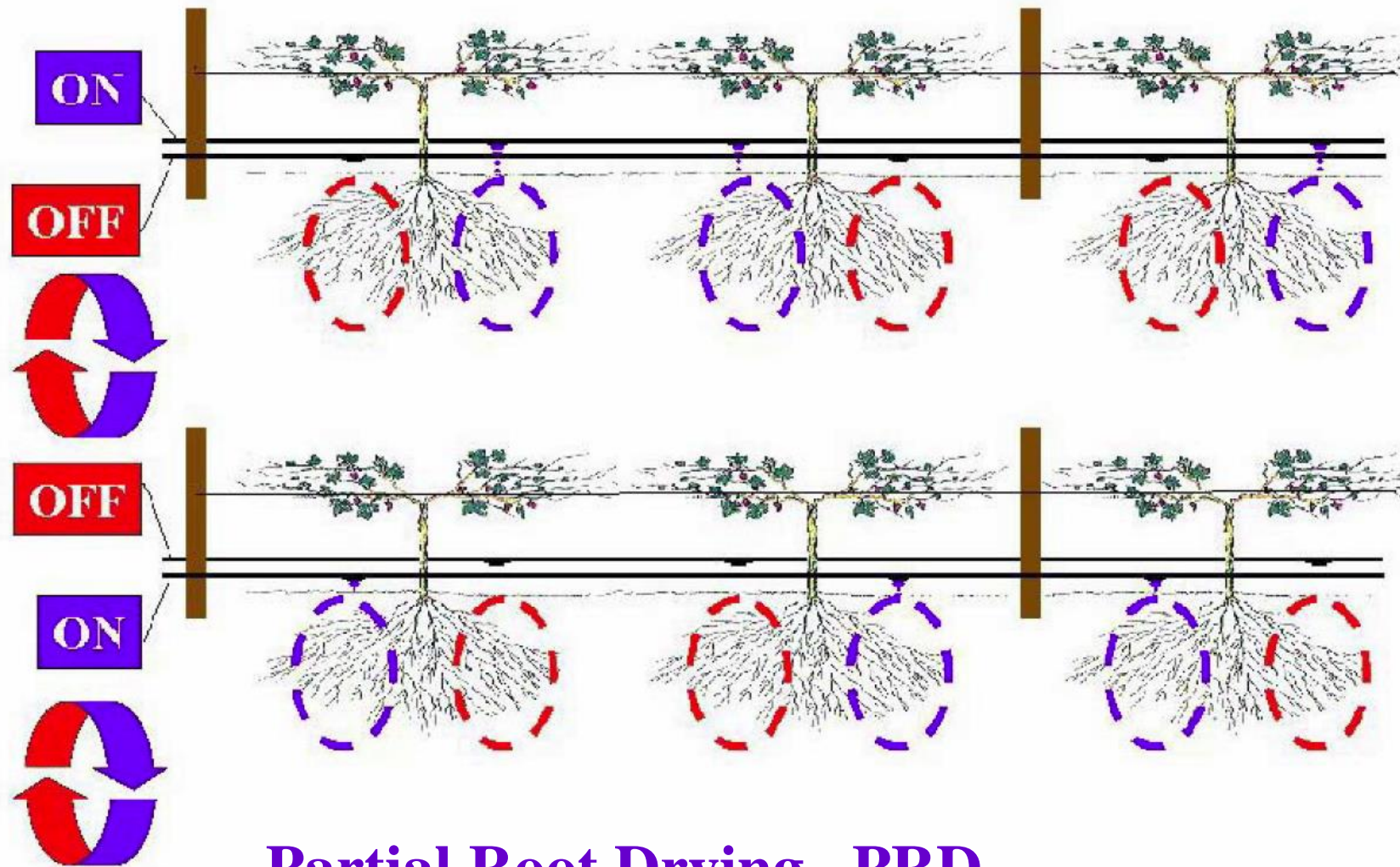
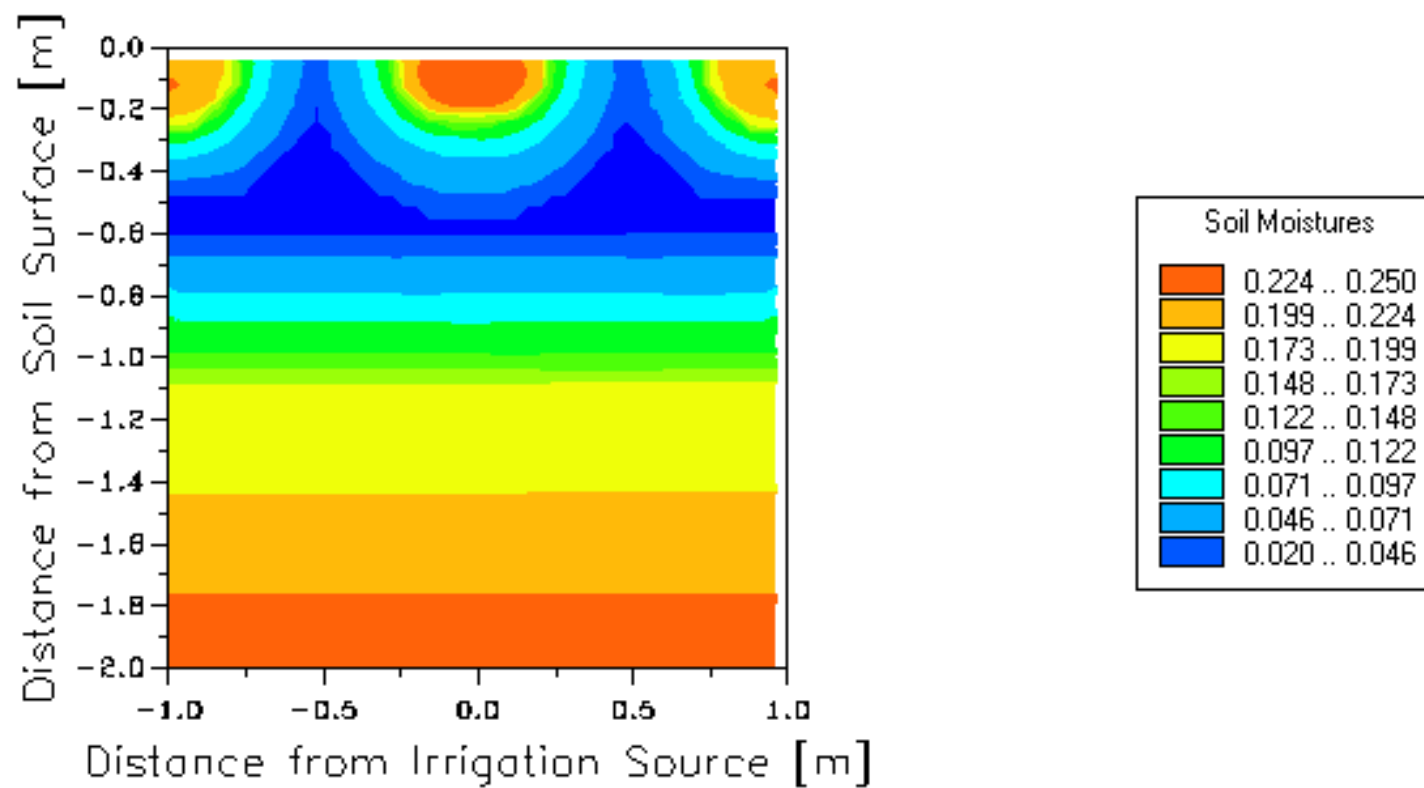


Figure 2.1 Implementation of PRD irrigation set up: A) PRD: at any time water was withheld from one side; B) control: vines received water on both sides.



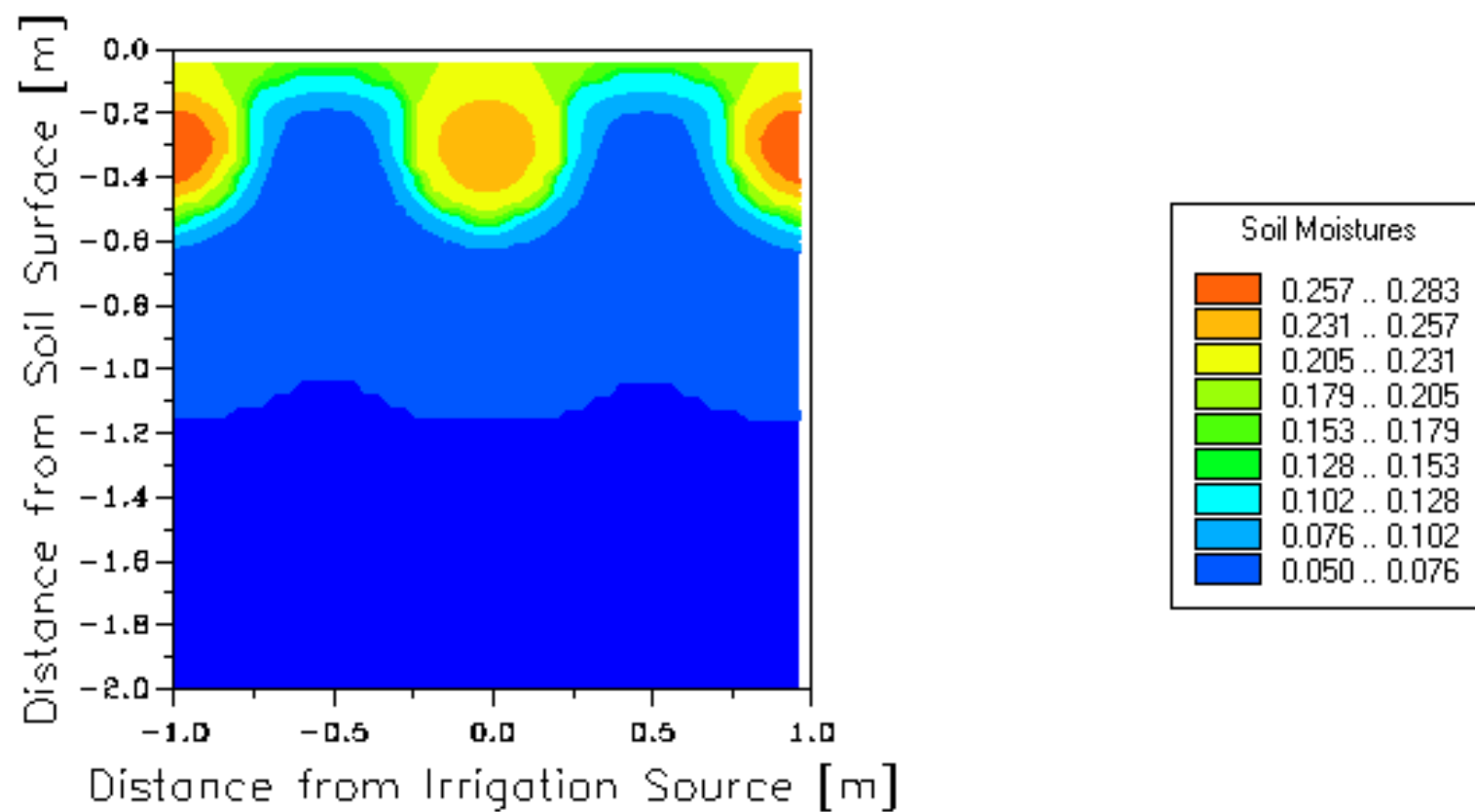
Partial Root Drying , PRD

Soil Moisture plot 30/06/1999



Produced using SALTMED version 2.0

Soil Moisture plot 05/04/1999

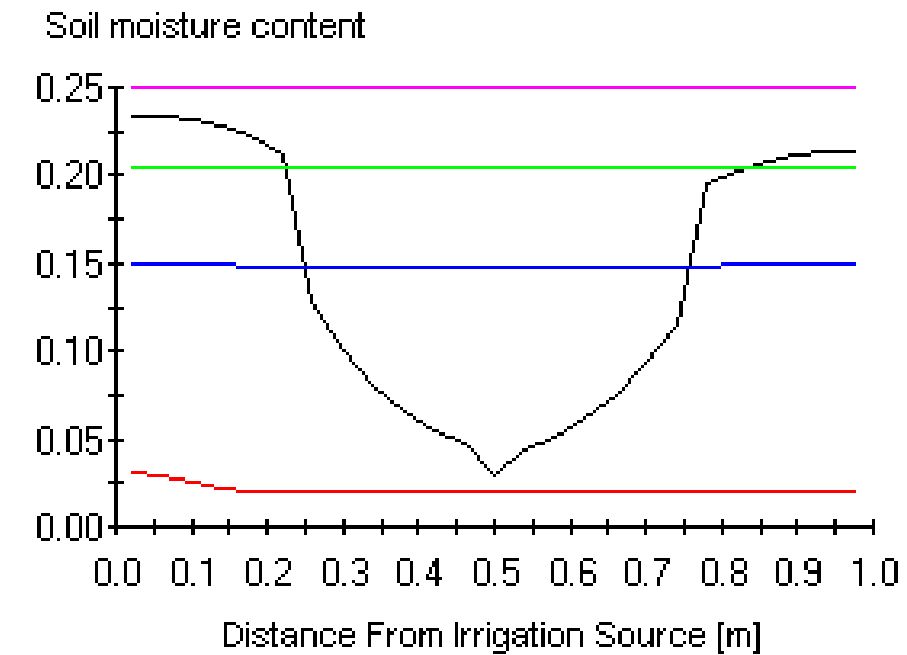


Produced using SALTMED version 2008



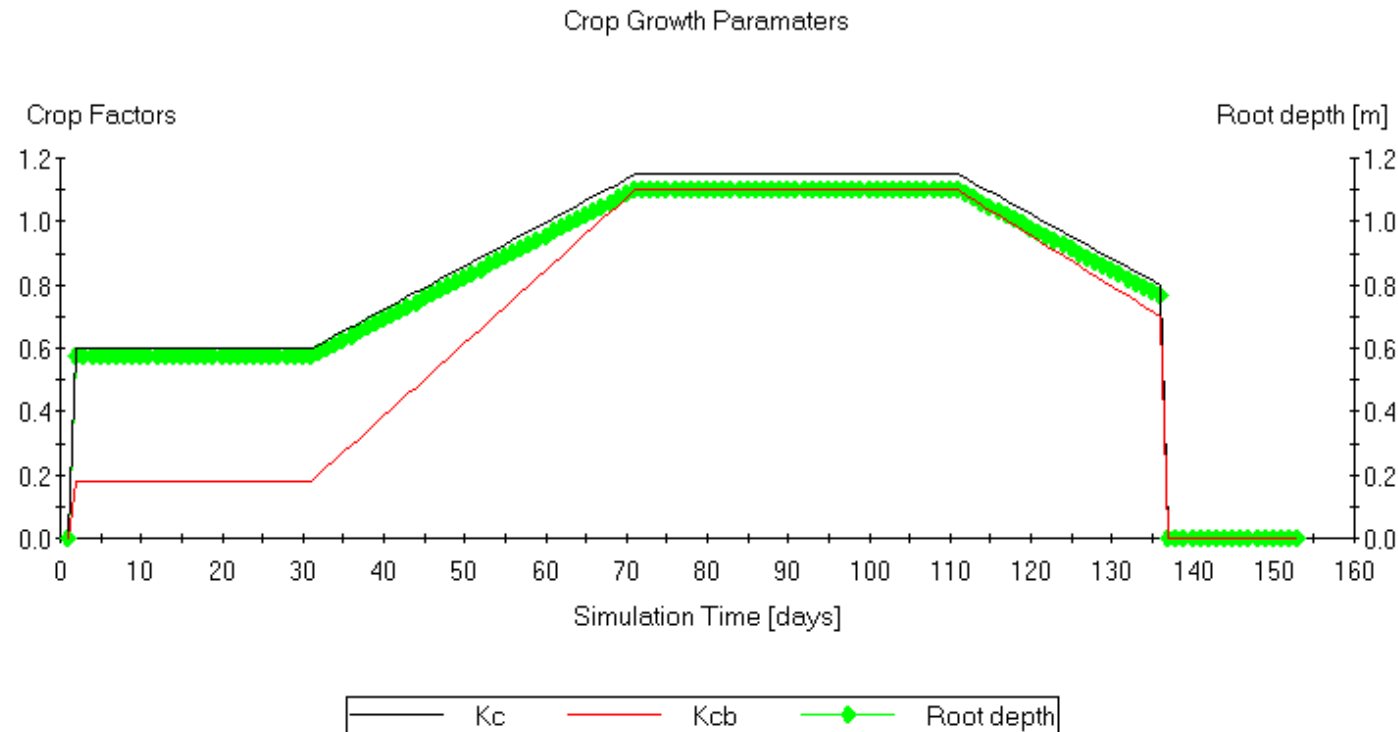
PRD- Soil moisture

Horizontal Moisture Profiles 30/06/1999



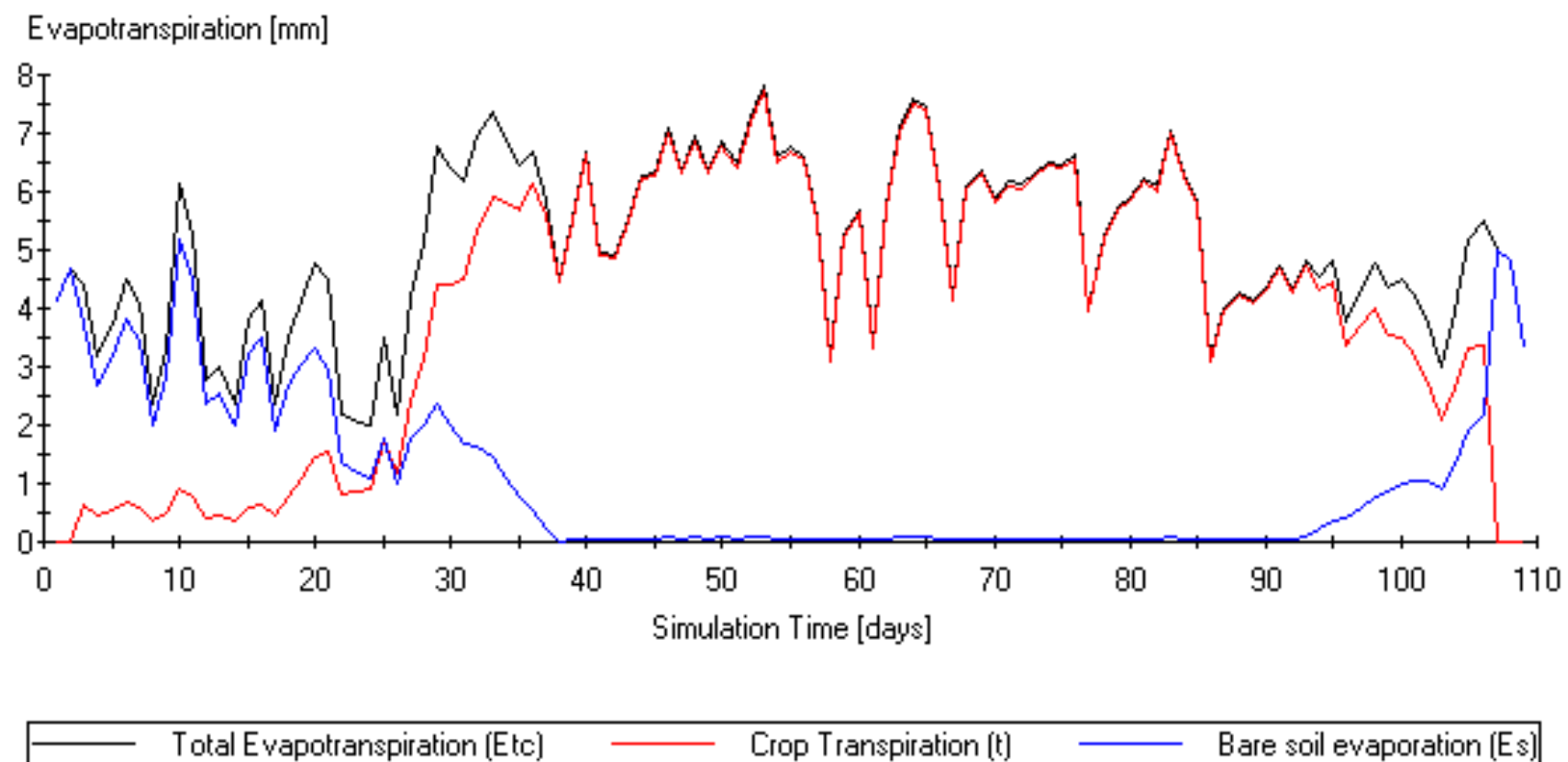
Produced using SALTMED version 1.0

Evolution of crop parameters Kc, Kcb and root depth over time



Produced using SALTMED version 1.0.0

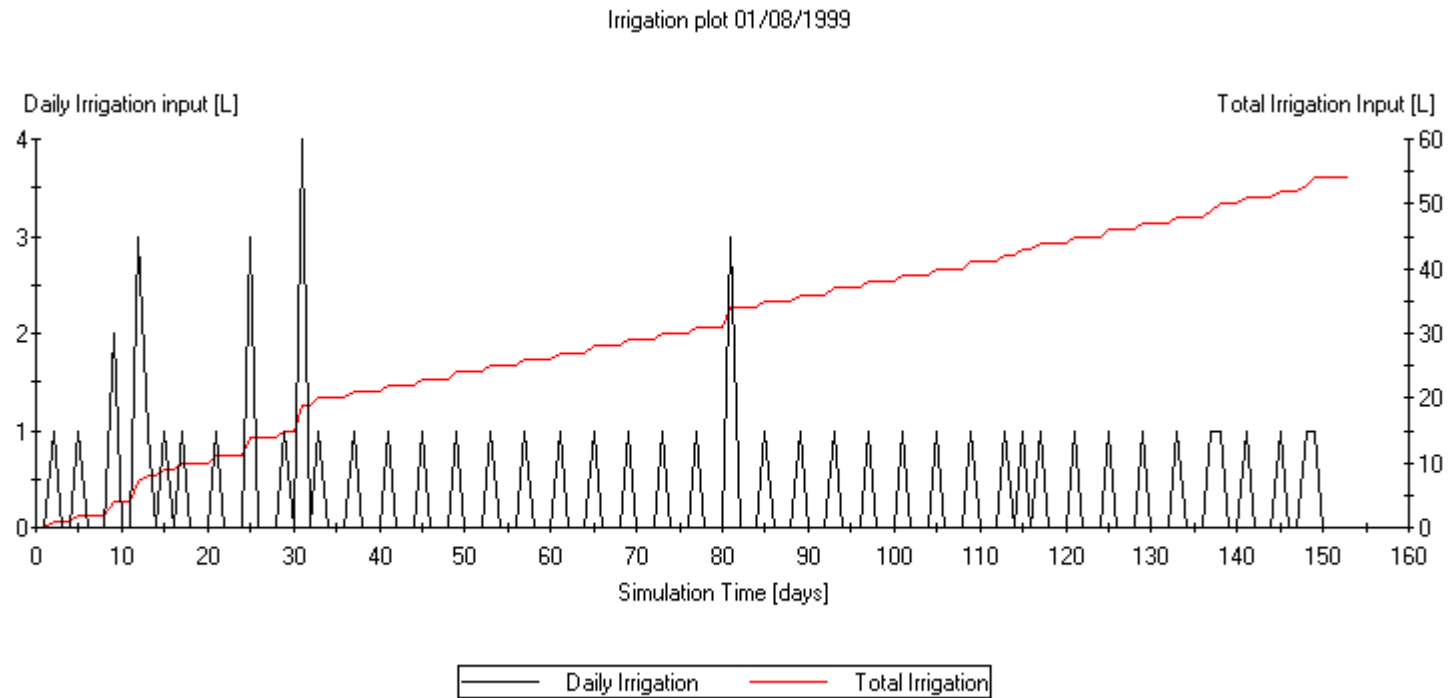
Evaporation plot 07/09/2008



Produced using SALTMED version 2008



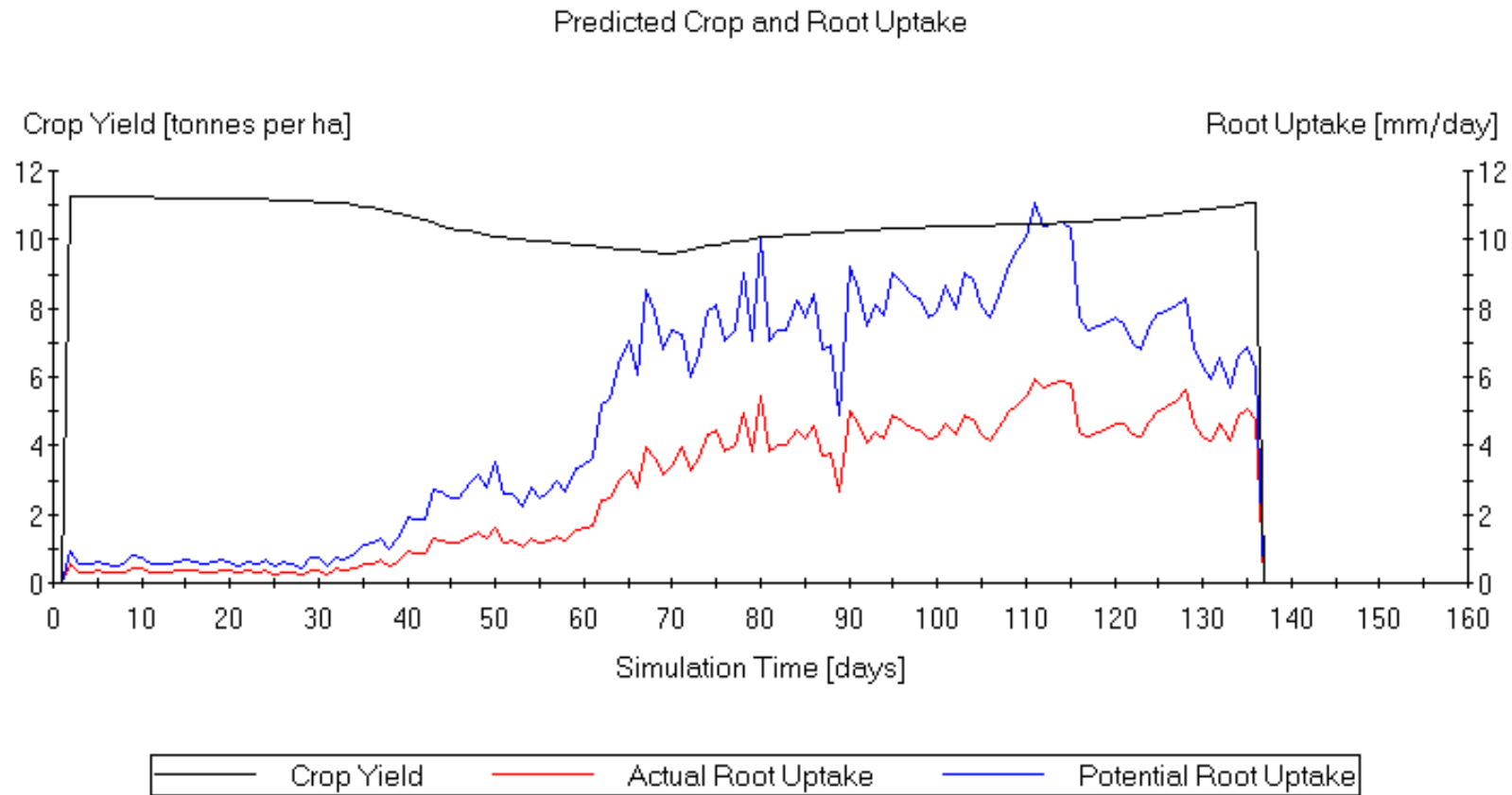
Irrigation + rainfall



Produced using SALTMED version 2010



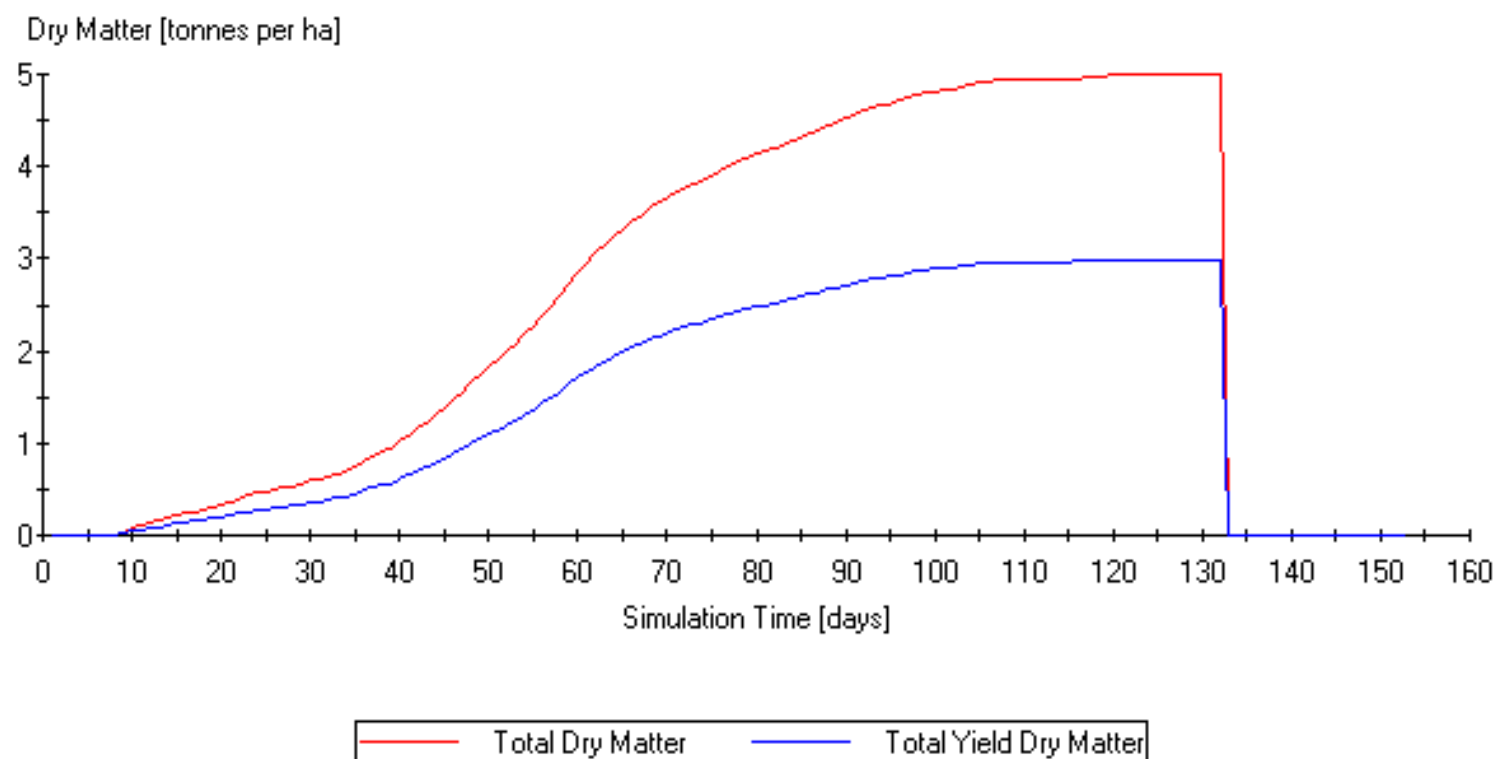
Crop potential and actual water uptake and yield



Produced using SALTMED version 1.0.0



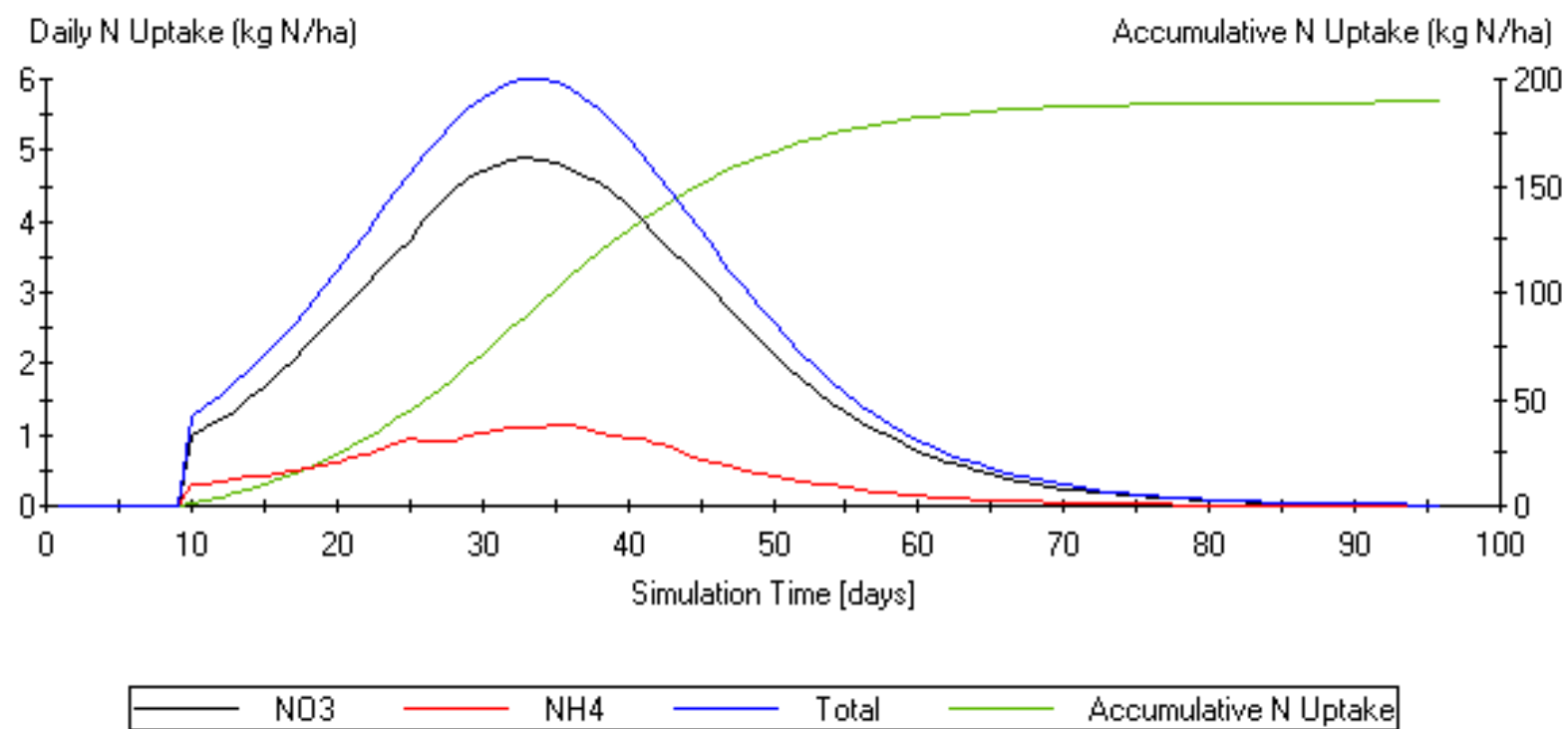
Predicted Dry Matter Accumulation and Yield



Produced using SALTMed version 1.0

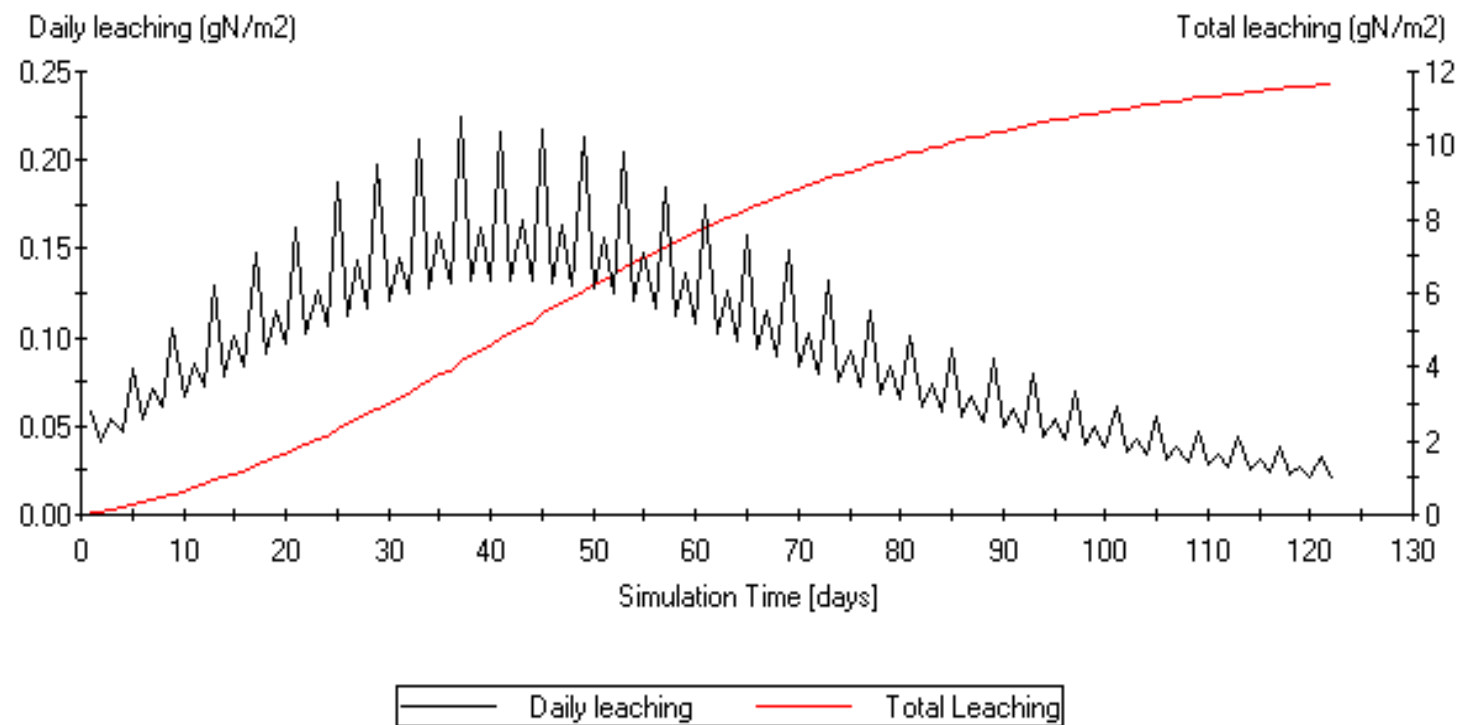


Crop Nitrogen Uptake



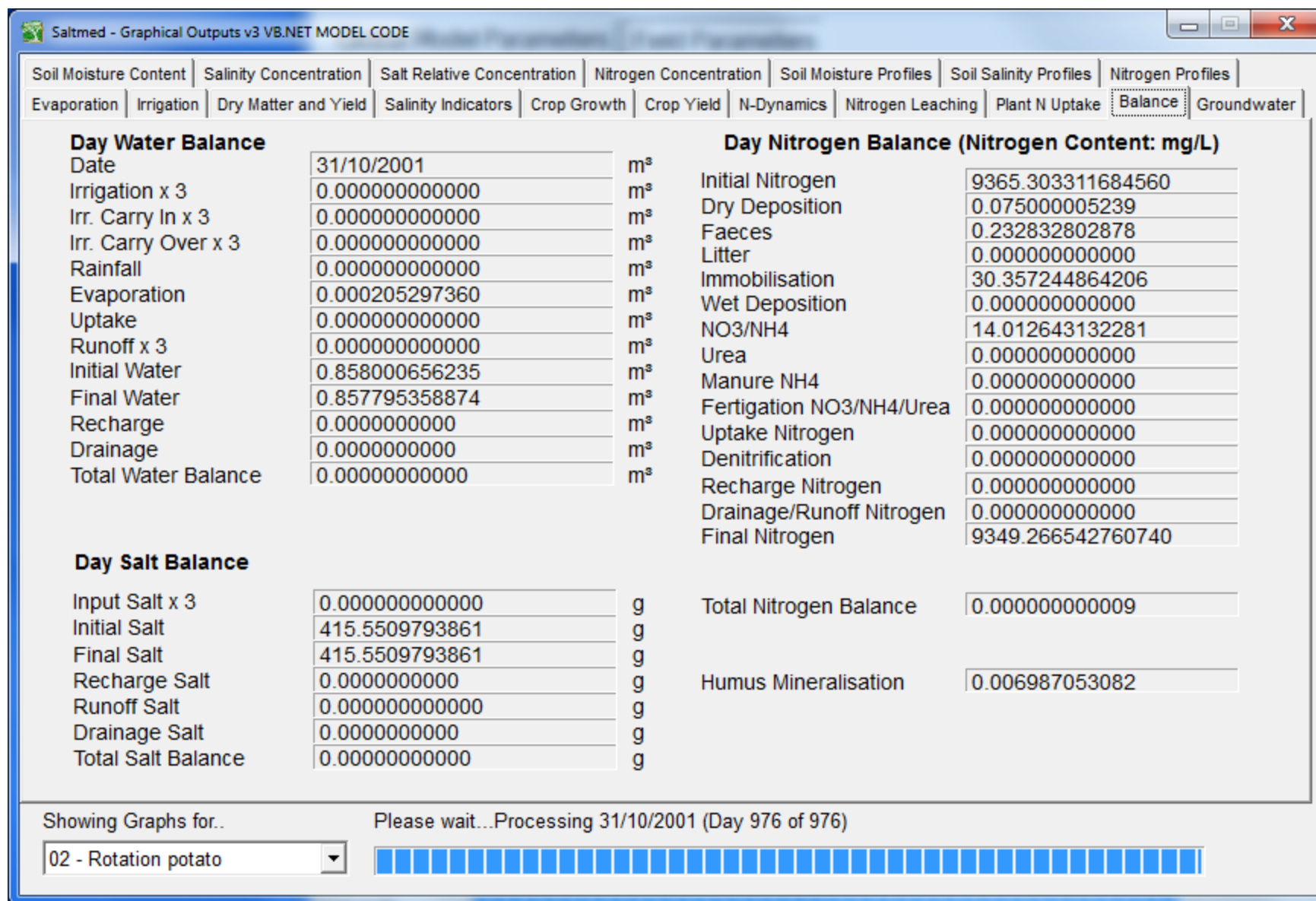
Produced using SALTMED version 1.0

Nitrogen leaching

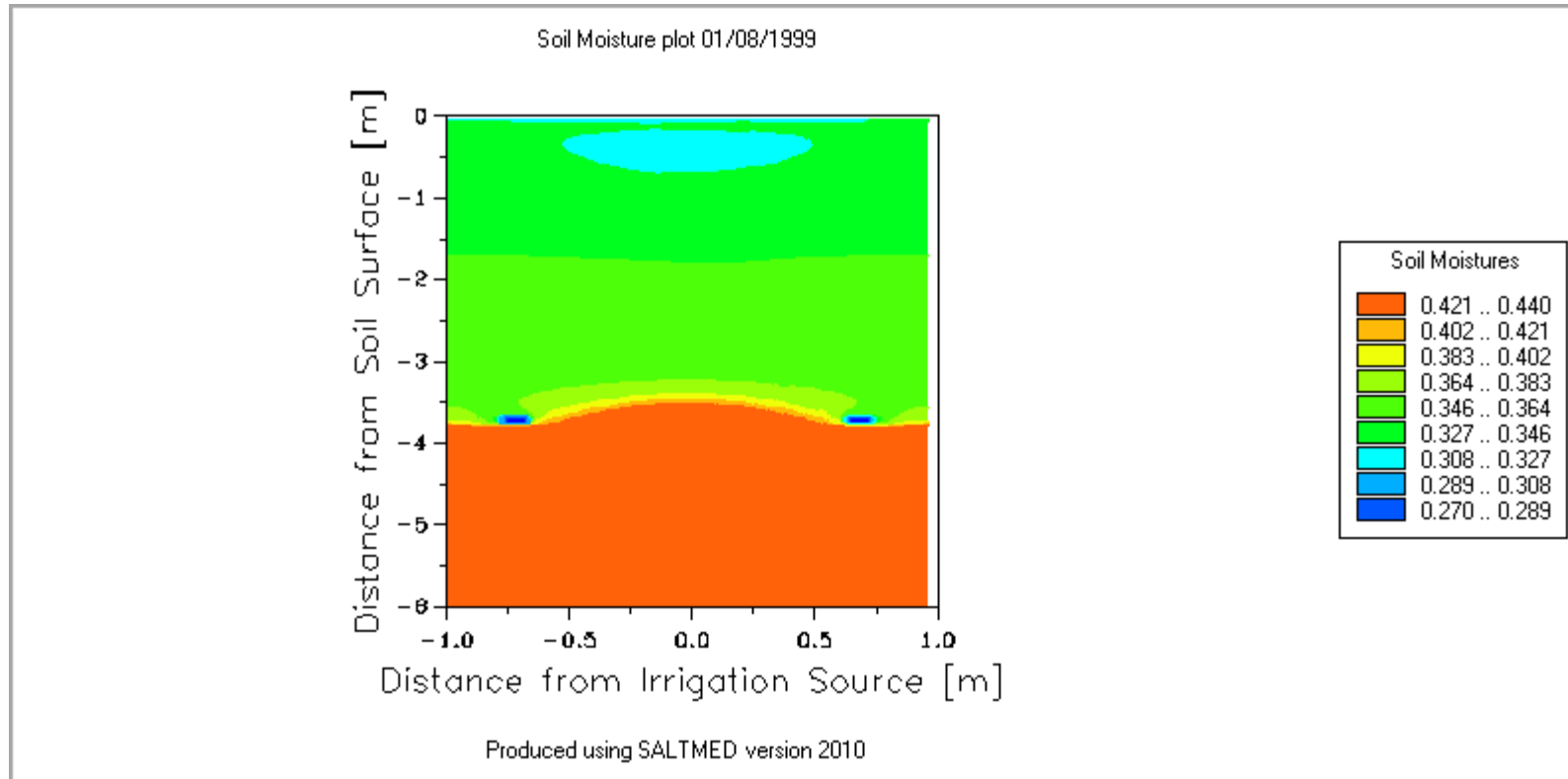


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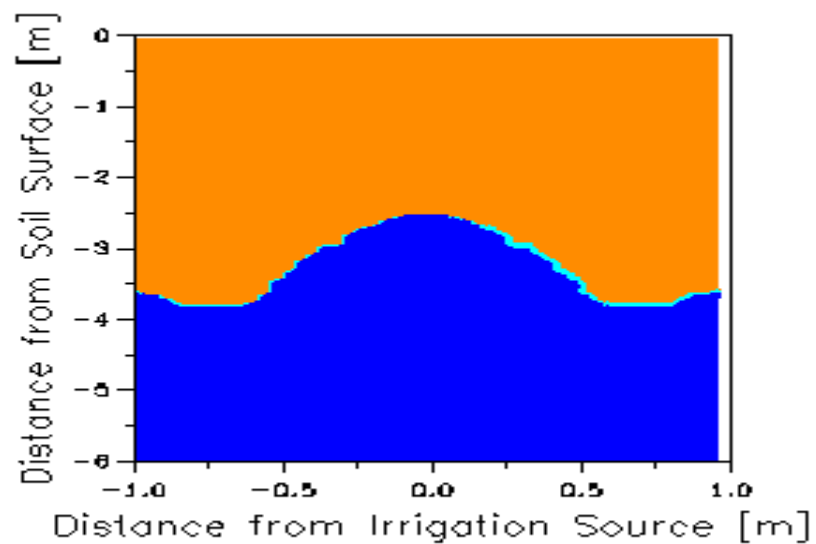




Presence of Drainage

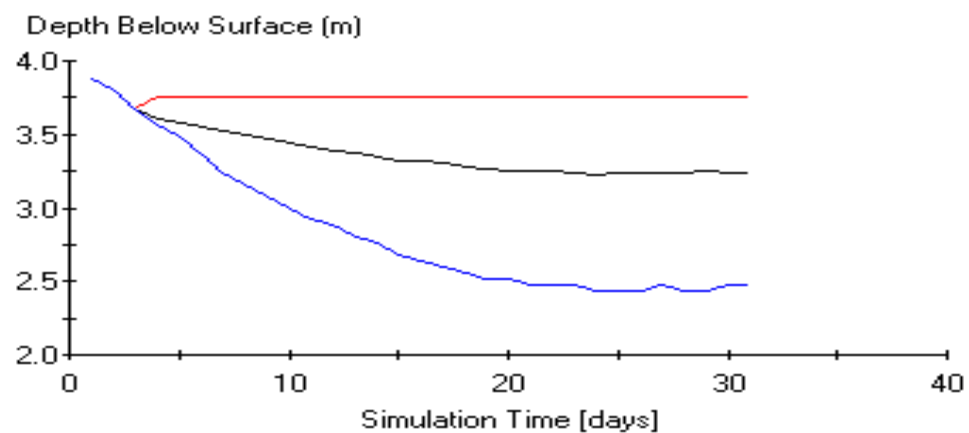


Groundwater plot 31/03/1999



Produced using SALTMED version 2010

Groundwater Levels plot 31/03/1999



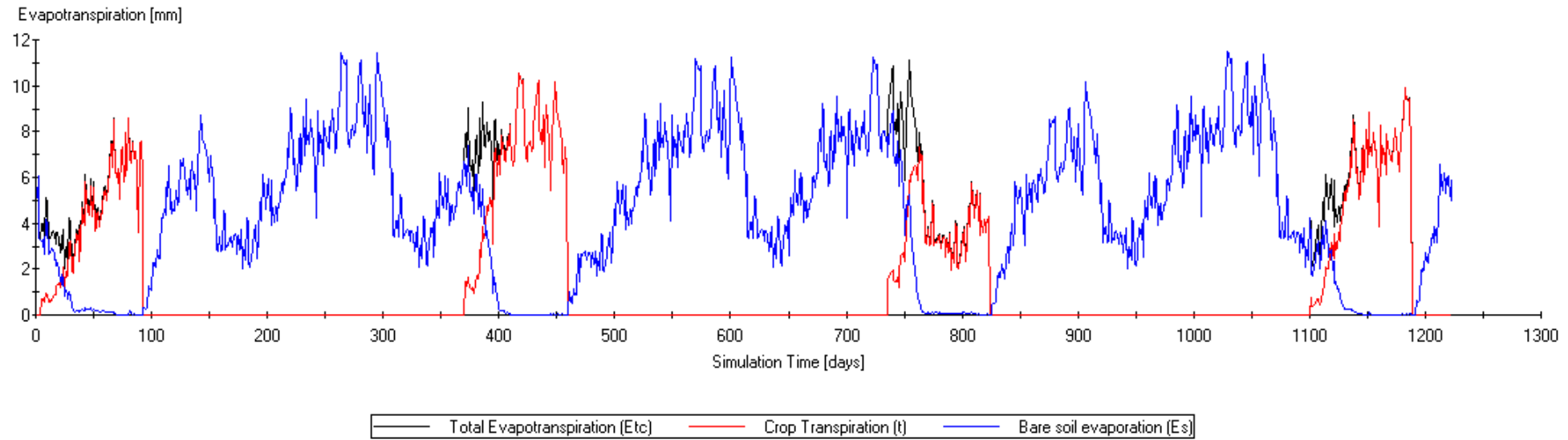
— Average — Minimum — Maximum

Produced using SALTMED version 2010



Crop Rotation

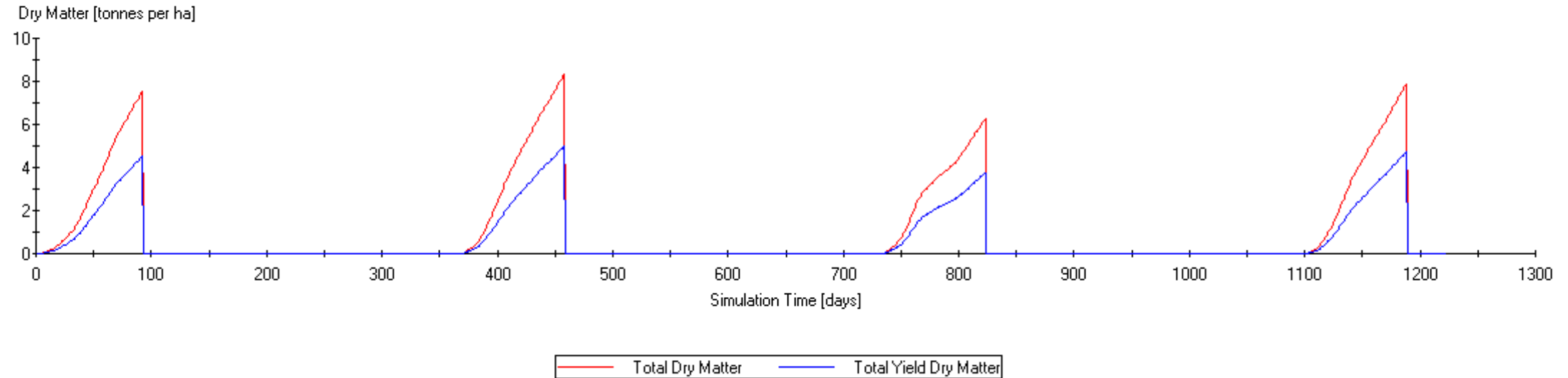
Evaporation plot 05/07/2002



Produced using SALTMED version 2010

Crop Rotation

Dry Matter plot 05/07/2002
Day 2-92 AATomato for Demo
Day 368-458 AATomato for Demo
Day 733-823 AATomato for Demo
Day 1098-1188 AATomato for Demo



Produced using SALTMED version 2010

The goodness of fit expressions are:
the root mean square error (RMSE), coefficient of determination (R^2), and coefficient of residual mass (CRM).

The RMSE values show by how much the simulations under- or overestimate the measurements:

$$\text{RMSE} = \sqrt{\frac{\sum (y_o - y_s)^2}{N}} \quad (1)$$

where

y_s = predicted value
 y_o = observed value
 N = total number of observations

The R^2 statistics demonstrate the ratio between the scatter of simulated values to the average value of measurements:

$$R^2 = \left\{ \frac{1}{N} \frac{\sum (y_o - \bar{y}_o)(\bar{y}_s - \bar{y}_o)}{\sigma_{y_o} - \sigma_{y_s}} \right\} \quad (2)$$

where

\bar{y}_o = averaged observed value
 \bar{y}_s = averaged simulated value

σ_{y_o} = observed data standard deviation
 σ_{y_s} = simulated data standard deviation

The coefficient of residual mass (CRM) is defined by

$$\text{CRM} = \frac{(\sum y_o - \sum y_s)}{\sum y_o}$$

The CRM is a measure of the tendency of the model to over- or underestimate the measurements. Positive values for CRM indicate that the model underestimates the measurements and negative values for CRM indicate a tendency to overestimate. For a perfect fit between observed and simulated data, values of RMSE, CRM and R^2 should equal 0.0, 0.0, and 1.0, respectively.

Non- conventional way to use the models

Using the model to predict missing parameters and difficult-to-measure parameters (i.e. P_i 50, K_{cb} , K_c , Photosynthesis efficiency, LAI, soil hydraulic properties and crop characteristics, etc.).

Using the model to predict Climate change impact (CO_2 , Radiation, rainfall, temperature, individually or collectively) on yield, sowing and harvest dates length of season, Crop water requirement and impact of seawater inundations/ Tsunami on the environment.

Using the model for experimental design such as the best crop rotation (e.g. shallow rooted followed by deep rooted crops), tillage level, mulching, fertilizer and irrigation scheduling, mixed waters versus cyclic fresh /saline water.

Using the model to investigate the root system geometry, selecting suitable variety for regions or suitable under future climate change.

Using the model to design a program for data collection.

A photograph of a small waterfall cascading over rocks in a lush green forest. The water is white and frothy as it falls. The surrounding vegetation is dense and green, with some moss visible on the rocks. The text "Thank You!" is overlaid in a large, yellow, serif font with a blue outline.

Thank You!